

# Studies of QCD jets in CMS

## Outline

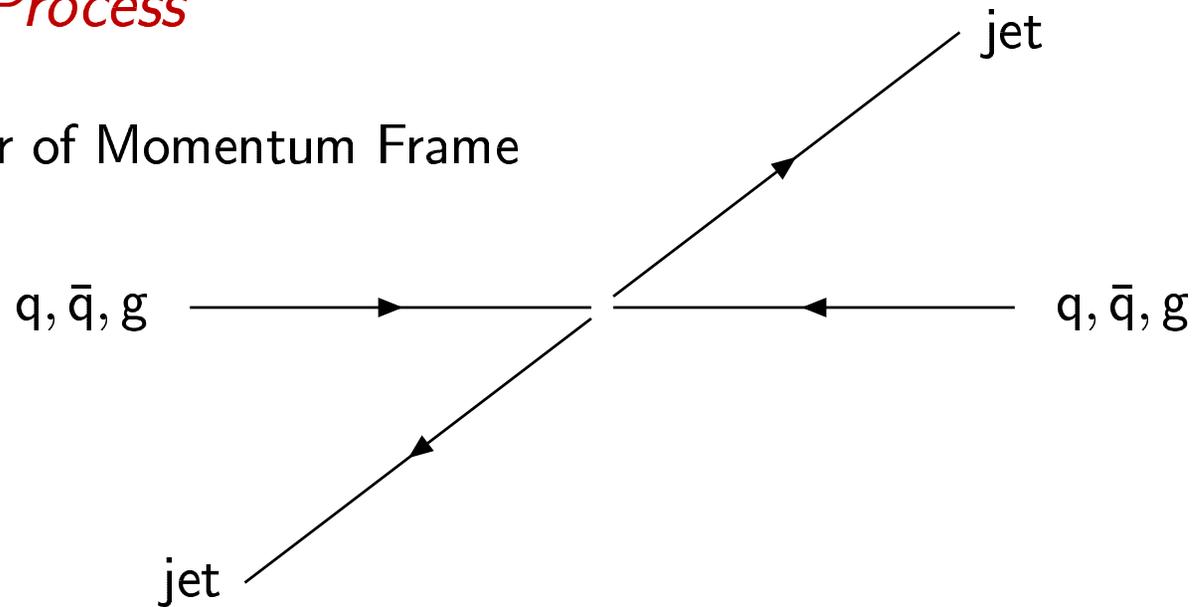
- q Introduction : QCD dijets
- q Event generation and selection
- q Dijet Cross section and event rate
- q Analysis of Generated and Reconstructed jets
- q Summary and Outlook

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## 2 → 2 Process

Center of Momentum Frame



Only hard QCD processes are considered

$$\begin{array}{ll} f_i f_j \rightarrow f_i f_j & f_i g \rightarrow f_i g \\ f_i \bar{f}_i \rightarrow f_k \bar{f}_k & gg \rightarrow f_k \bar{f}_k \\ f_i \bar{f}_i \rightarrow gg & gg \rightarrow gg \end{array}$$

## QCD dijets

### Motivation: Why study dijets?

- Simplicity
    - Inclusive dijet production ( $pp \rightarrow 2\text{jets} + X$ ) is the dominant hard process in LHC
    - No significant background
  - Calorimeter
    - Dijet  $p_T$  balance will be used to calibrate HCal in-situ
    - Dijets test that calorimeters and their triggers are functioning
  - Timeliness
    - Measurements using only Calorimetry can be done quickly
  - Physics
    - Test of QCD and parton distributions at high  $Q^2$
- The first step is *triggering* on jets.
- Measuring dijet distribution enables us to measure the QCD distribution.

## *Event Generation and Reconstruction*

- q Events generated using PYTHIA
- q  $p_T$  bins specified in pre-challenge sample for studying mass distribution (discussed later)
- q structure function chosen; PDF: CTEQ 5L (LO,  $\alpha_s(M_z) = 0.127$ )
- q Reconstruction of jets
- q Iterative cone jet algorithm used
- q Cone radius  $R = 0.5$
- q Jet  $E_T$  seed cut = 7.0 GeV
- q Event selection ( $pp \rightarrow 2\text{jets} + \text{anything}$ )
- q Find the two jets in the event with highest  $p_T$ : leading jets
- q Require each leading jet to have  $|\eta| \leq 1$

## Trigger table: Pre-scaling factors

We concentrated only on HLT which are tighter cuts on the distribution.  
Trigger values applied to see the significance of low and high regimes of  $p_T$ .

| Jet Trigger | L1 Jet Trigger      |                   |               | HLT Jet Trigger     |                   |              | Total Prescale |
|-------------|---------------------|-------------------|---------------|---------------------|-------------------|--------------|----------------|
|             | $p_T(E_T)$<br>(GeV) | Prescale<br>(1/N) | Rate<br>(KHz) | $p_T(E_T)$<br>(GeV) | Prescale<br>(1/N) | Rate<br>(Hz) |                |
| High        | 177                 | 1                 | $\sim 1$      | 657                 | 1                 | $\sim 1$     | 1              |
| Med         | 177                 | 1                 | $\sim 1$      | 350                 | 30                | $\sim 1$     | 30             |
| Low         | 177                 | 1                 | $\sim 1$      | 180                 | 600               | $\sim 1$     | 600            |
| Tiny        | 90                  | 20                | $\sim 1$      | 90                  | 600               | $\sim 1$     | 12000          |

□ In practice one multiplies the dijet mass distribution with the pre-scaling factors to get the dijet event rate distribution for a given luminosity.

□ The *tiny* trigger provides sample of low  $E_T$  jets to study calibration and fake rates.

## *Data Sample and Software*

- The same  $p_T$  intervals were used as in DC04 pre-challenge data samples made by Haifeng Pi:
  - 0, 15, 20, 30, 50, 80, 120, 170, 230, 300, 380, 470, 600, 800, 1000, 1400, 1800, 2200, 2600, 3000, 3500, 4000
- All samples produced with no pile-up at an integrated luminosity of  $1\text{fb}^{-1}$
- Softwares used:
  - Generator: CMKIN\_4\_3\_1 with Pythia
  - Simulation and reconstruction: FAMOS\_1\_4\_0

## Dijet Mass Analysis

q Dijet mass:

$$M_{jj} = \sqrt{(E_1 + E_2)^2 - (p_x^1 + p_x^2)^2 - (p_y^1 + p_y^2)^2 - (p_z^1 + p_z^2)^2}$$

q Cross section ( $\sigma$ ) for individual bins (in pb)

q differential cross-section ( $\frac{d\sigma}{dM_{jj}}$ ) plotted against the dijet mass in GeV.

q We bin the dijet mass in such a way that bin size increases with mass

q While adding different bins proper normalisation needs to be done taking the  $\sigma$  into account.

q We note

$$\begin{aligned} N &= \mathcal{L}\sigma \\ \text{hence } \mathcal{L} &= \frac{N}{\sigma} \end{aligned}$$

hence given a luminosity one calculates the event rate per  $\text{fb}^{-1}$ .

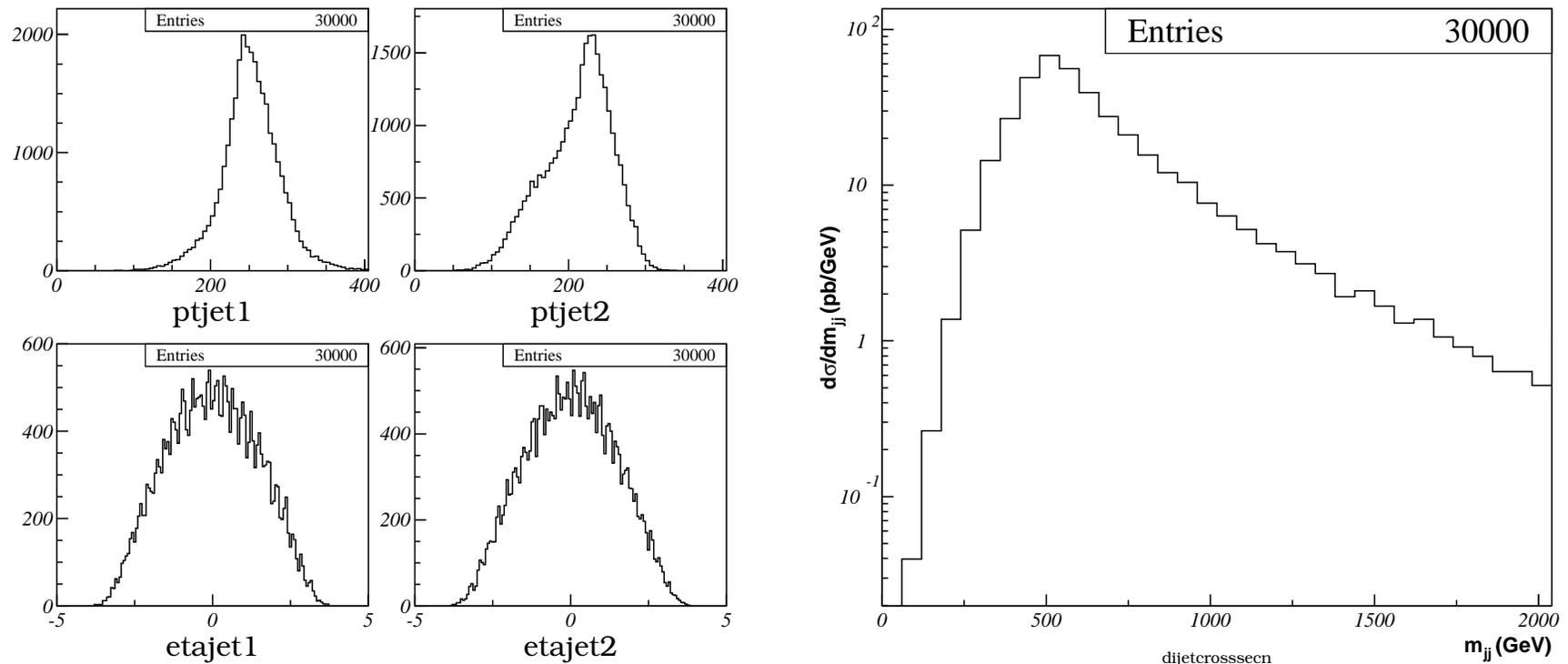
## Cross section table

| $p_t$ Range (GeV) | cross-section (mb) | $p_t$ Range (GeV) | cross-section (mb) |
|-------------------|--------------------|-------------------|--------------------|
| 0 – 15            | 5.522E + 01        | 470 – 600         | 6.845E – 07        |
| 15 – 20           | 1.450E + 01        | 600 – 800         | 2.032E – 07        |
| 20 – 30           | 6.264E – 01        | 800 – 1000        | 3.549E – 08        |
| 30 – 50           | 1.546E – 01        | 1000 – 1400       | 1.079E – 08        |
| 50 – 80           | 2.075E – 02        | 1400 – 1800       | 1.049E – 09        |
| 80 – 120          | 2.941E – 03        | 1800 – 2200       | 1.446E – 10        |
| 120 – 170         | 5.002E – 04        | 2200 – 2600       | 2.378E – 11        |
| 170 – 230         | 1.006E – 04        | 2600 – 3000       | 4.268E – 12        |
| 230 – 300         | 2.393E – 05        | 3000 – 3500       | 8.444E – 13        |
| 300 – 380         | 6.381E – 06        | 3500 – 4000       | 9.718E – 14        |
| 380 – 470         | 1.885E – 06        |                   |                    |

cross-sections are obtained by running stand-alone pythia for those given ranges and for the above mentioned hard QCD processes. CTEQ 5L.

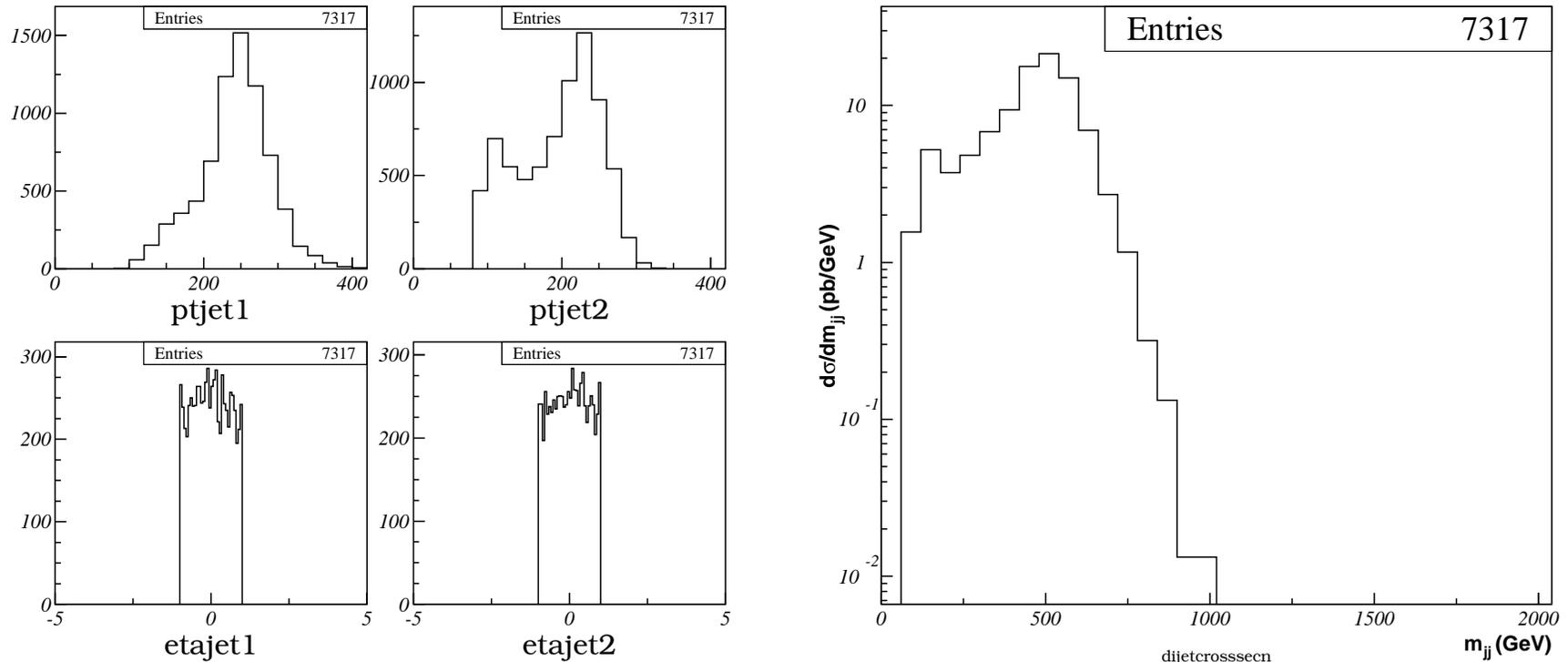
## Typical distributions for one particular 'bin'

Shown here is  $p_T$  and  $\eta$  distributions for the highest and next highest momentum jets for the range 230 – 300 GeV. Also shown here is the dijet mass distribution for that particular bin.

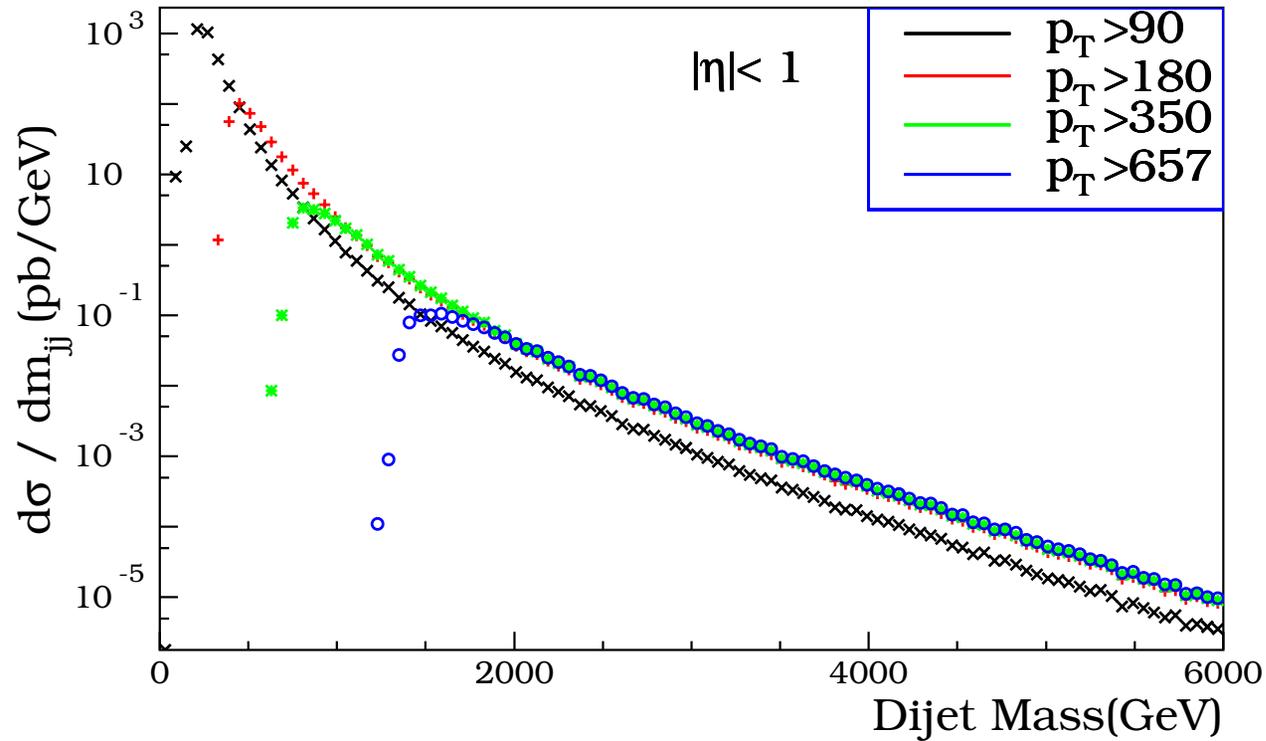


# Typical distributions for one particular 'bin' after cuts

After we apply  $|\eta| \leq 1$  and  $p_T > 90\text{GeV}$

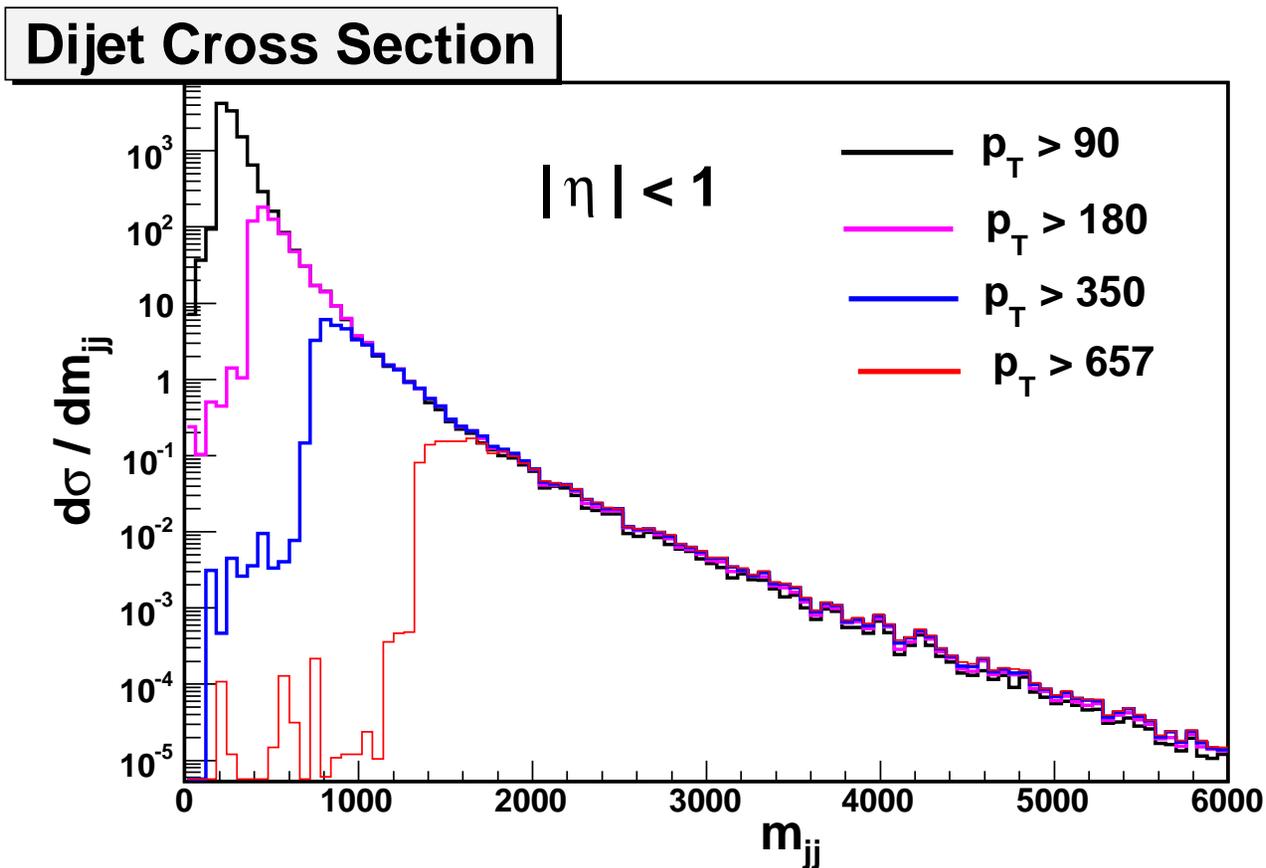


## Dijet cross-section from triggers



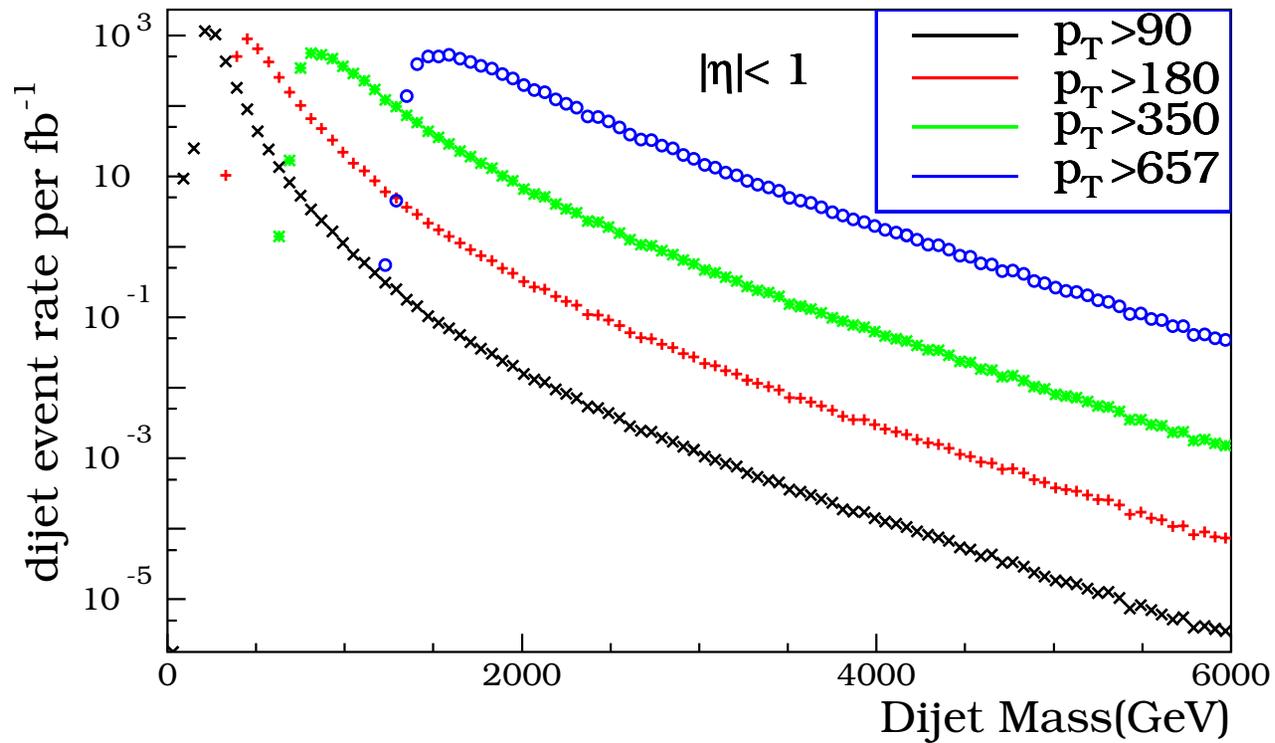
Done by generating events in CMKIN using Pythia.

## Dijet cross-section - Famos



Dijet cross-section ( $\frac{d\sigma}{dM_{jj}}$ ) distribution using reconstructed data in FAMOS (FAMOS\_1\_4\_0).

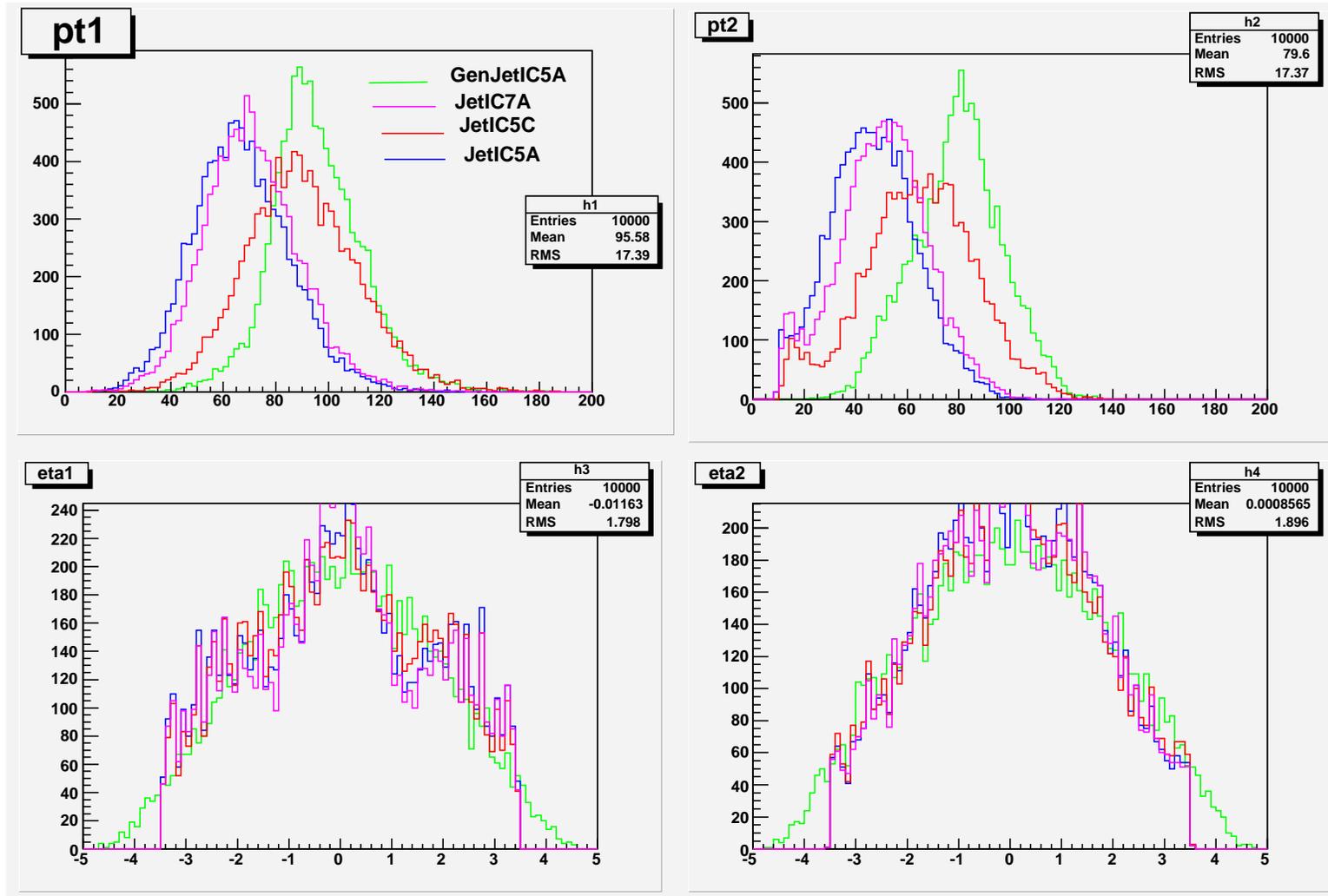
## Dijet event rate from triggers



Trigger rate estimated here from single sample with varying  $p_T$  cut applied offline and considering the effect of HLT only.

*Done by generating events in CMKIN using Pyhtia.*

# Generated and Reconstructed data in FAMOS



## Hadronic Event shape and Jet productions

- Hadronic event shapes are tools to study both the amount of gluon radiation and the details of hadronization process.
- Events from  $q\bar{q}$  final states without hard gluon radiation result in two collimated back-to-back jets of hadrons.
- Emission of one hard gluon leads to planar 3-jet events.
- Emission of two or more energetic gluons can cause non-planar multi-jet event structures.
- QCD predicts scaling violations for observables that do not depend on absolute energies or momenta, eg. *thrust*.
- Scaling violations caused by the energy dependence of  $\alpha_s$  which determines the amount of gluon radiation.
- In LO the probability of gluon radiation is proportional to  $\alpha_s$ .

## Event Shape Variables

A typical event-shape observable is thrust,  $T$ , defined as a normalized sum of momentum components of all particles of a given event along a specific axis, the axis such that  $T$  is maximised.

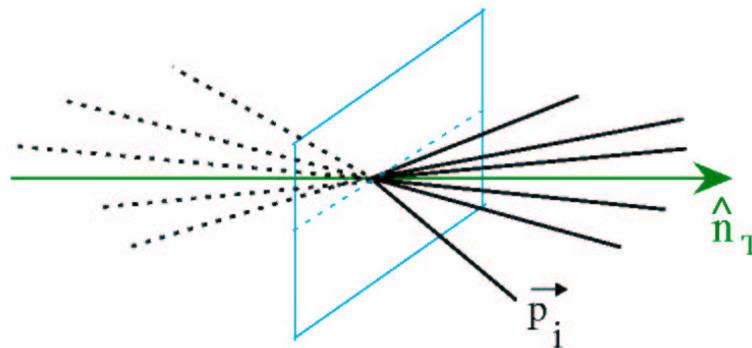
**Thrust, Major, Minor, Oblateness, ... :**

$$T = \left( \frac{\sum_i |p_i \cdot \hat{n}|}{\sum_i |p_i|} \right)_{\max}$$

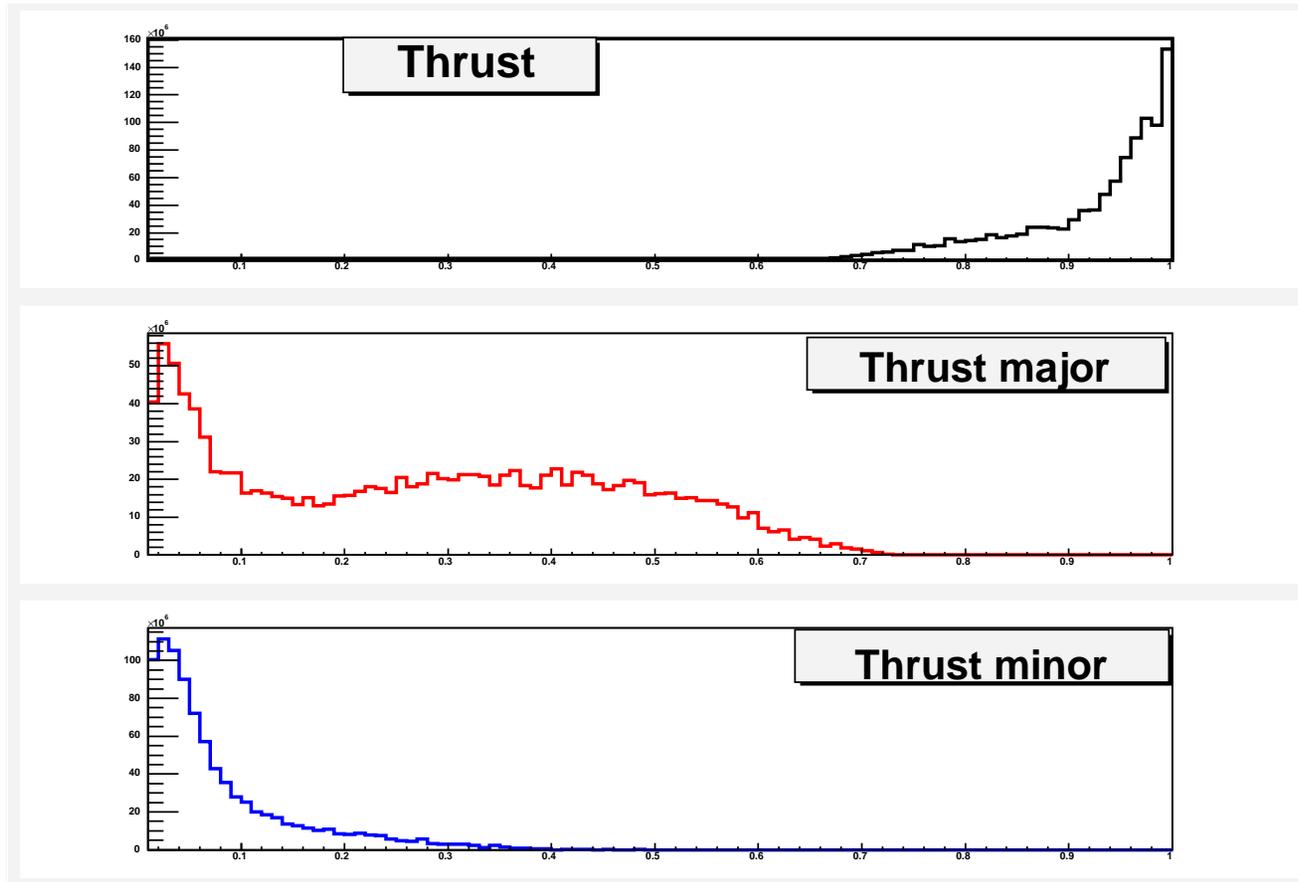
where the thrust axis  $\hat{n}_T$  is defined as the unit 3-vector  $\hat{n}$  which maximises the expression.

$T_{\text{major}}$  defined like  $T$  but in plane perpendicular to  $\hat{n}_T$

$T_{\text{minor}}$  computed along minor axis orthogonal to  $\hat{n}_T$  and major axis



# Thrust distribution



Done using GenJetIC5A in FAMOS ExRootAnalysis

## Summary and Outlook

- We plan to analyse these event shape variables in dijet event sample taking into account the effect of trigger biases.
- Our main aim was to set up the machinery which is almost done. Now we want to use the data available for the given luminosity.
- We have started using CMSSW framewrok (CMSSW\_0\_7\_0).
- We have to include other event shape variables.
- These distributions will be compared with the expectations from *resummed calculations*. This will give the sensitivity to measure  $\alpha_s$  at the LHC and also the structure of underlying events.

*back up*

