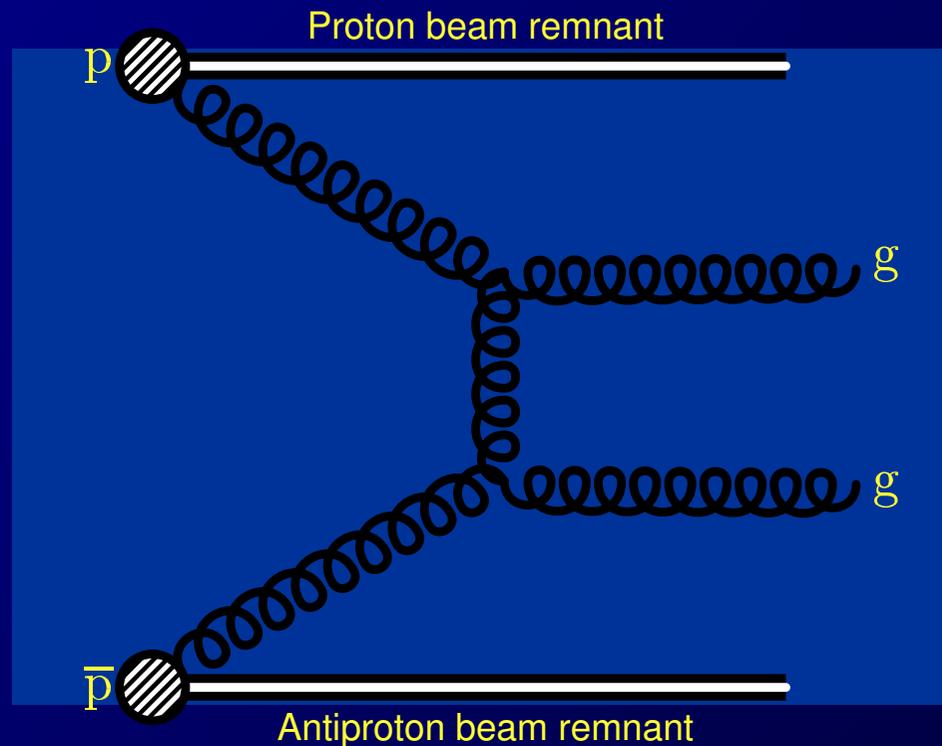


# Looking Inside Hadron Collisions

Right now at the Tevatron:



Fermi National Accelerator Laboratory

Peter Skands

Theoretical Physics Dept

Enrico Fermi Institute, University of Chicago, June 20 2005

# Looking Inside Hadron Collisions

Real life is more complicated...



Butch Cassidy and the Sundance Kid. Copyright: Twentieth Century Fox Films Inc.



Fermi National Accelerator Laboratory

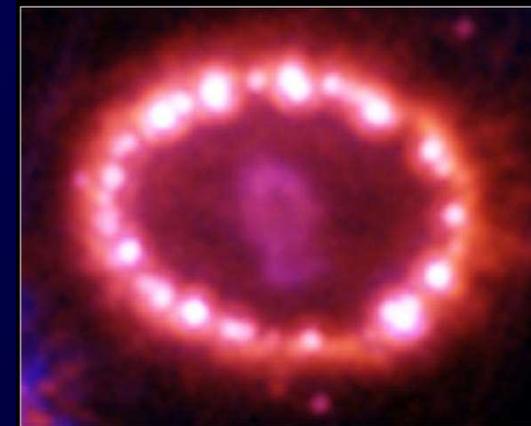
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# Why Study Supernovae?

- 🌍 They are the highest energy explosions in the universe



Supernova 1987A • November 28, 2003  
Hubble Space Telescope • ACS

NASA and R. Kirshner (Harvard-Smithsonian Center for Astrophysics) STScI-PRC04

# Why Study Supernovae?

- 🌍 They are the highest energy explosions in the universe
- 🌍 They give us clues to other physics
  - 🔴 Type Ia = large-distance standard candles
    - distance/redshift relation
    - $\Lambda$  problem
  - 🔴 SN1987a
    - neutrino physics,
    - Cooling → limits on light/weak particles
    - + much much more ...

Price: extremely complicated dynamics ↔ they are now *almost* making them explode in simulations...

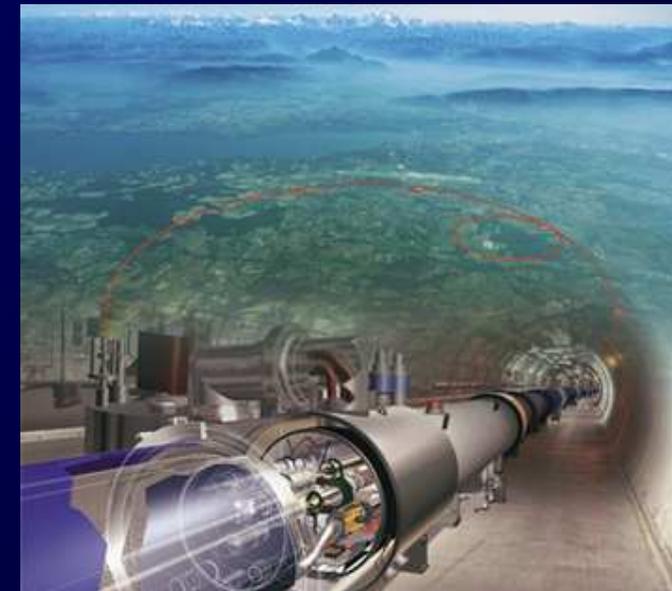
Much can be done even in complex environments.  
*More* if the complex dynamics can be understood and modeled



Supernova 1987A • November 28, 2003  
Hubble Space Telescope • ACS

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# Why Study Hadron Collisions?

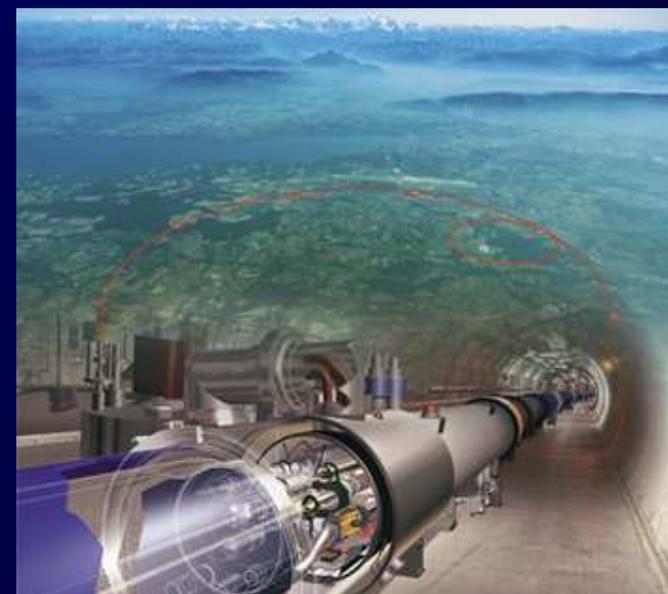


# Why Study Hadron Collisions?



## Tevatron

- 2 – 10 fb<sup>-1</sup> by LHC turn-on → Large W, Z, and t $\bar{t}$  samples (including hard tails !)
- Reduction of t and W mass uncertainties by ~ 50%
- Potential discoveries...



# Why Study Hadron Collisions?

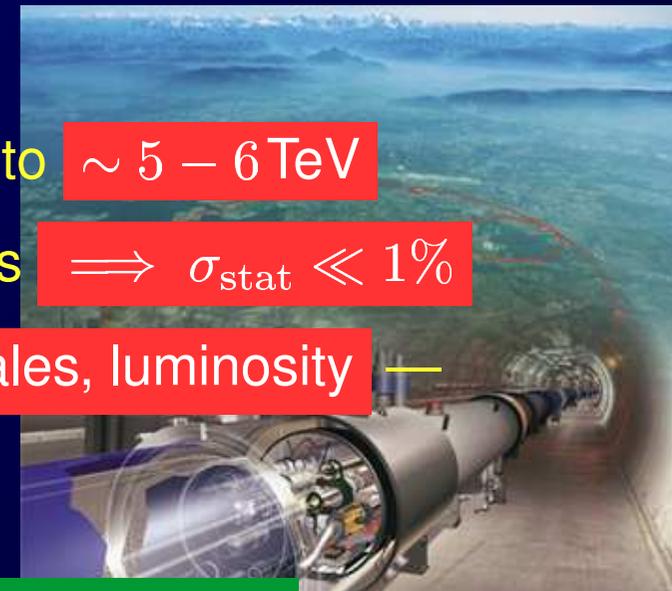
## Tevatron

- 2 – 10 fb<sup>-1</sup> by LHC turn-on → Large W, Z, and t $\bar{t}$  samples (including hard tails !)
- Reduction of t and W mass uncertainties by  $\sim 50\%$
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## LHC

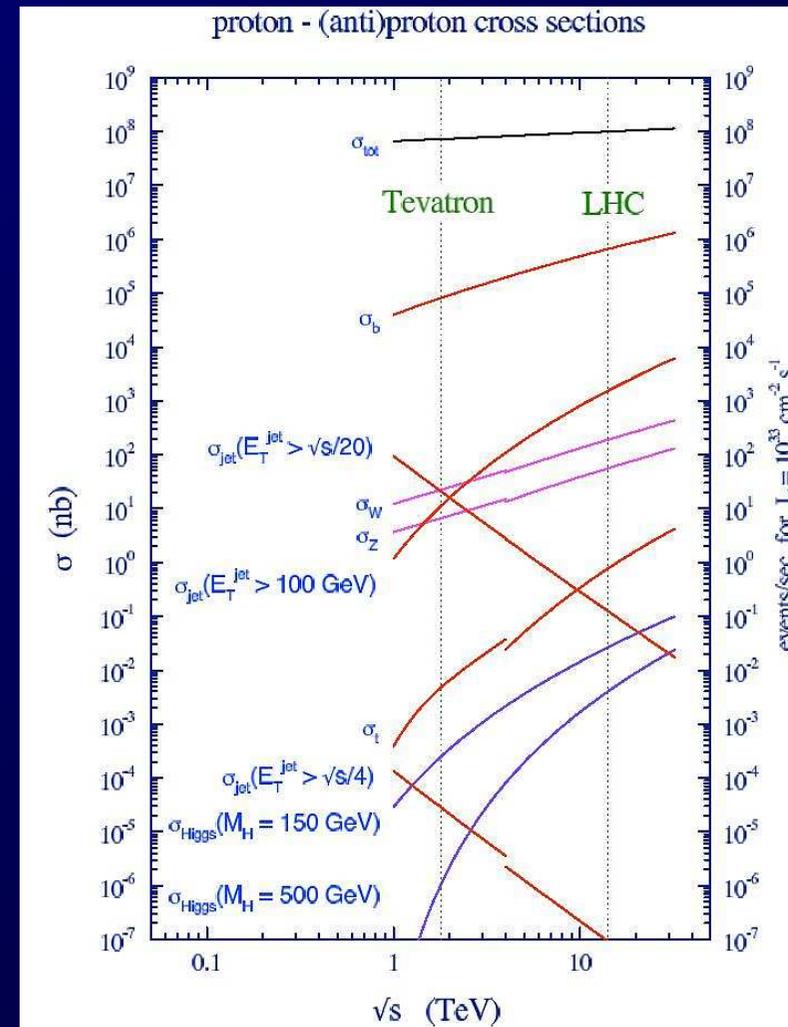
- Explore EWSB / Probe New Physics up to  $\sim 5 - 6 \text{ TeV}$
- 10 fb<sup>-1</sup> → more than 10<sup>7</sup> W, Z, t $\bar{t}$  events  $\implies \sigma_{\text{stat}} \ll 1\%$
- Improved Systematics — jet energy scales, luminosity — from high-statistics 'standard candles'



$\implies$  Large discovery potential + percent level physics!

# But Hadrons Grant Nothing Without Hard Work

- 🌐 Not all discovery channels produce dramatic signatures → Need theoretical control of shapes, backgrounds, uncertainties, ...
- 🌐 Scattering at LHC  $\neq$  “rescaled” scattering at Tevatron. (smaller  $x$ , more intensive BGs, UE,...)
- 🌐 Aiming for percent level measurements, PDFs, luminosities, jets etc  $\implies$  solid understanding of QCD in hadron collisions, both perturbative and non-perturbative, is crucial
- 🌐 State-of-the art is wide range of Fixed-Order / Parton Shower / Resummation / hadronisation / ... / approaches & tools.



# Hard & Soft

- **Matrix Elements**

- + **Fixed Order  $\alpha$ : Exact interference, helicity, loops ...**
- **Present 2 $\rightarrow$ 5/6  $\star$  multiple soft gluons significant in building event/jet structure**
- **Phase Space for soft emissions larger at higher energies**
- + **PT expansion better behaved at higher energies**

**For full event structure, need to go beyond fixed order**

# Hard & Soft

- **Matrix Elements**

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**For full event structure, need to go beyond fixed order**

- **Parton Showers**

- **Approximate in wide-angle hard region**

**Depend on universal phenomenological parameters**

- + **Exponentiate → Arbitrary number of partons in Final State**

- + **Match to Hadronization**

**Marriage Desireable!**

# Hard & Soft

Marriage Desireable!

- Several different ceremonies:

## 1) Merging (correcting first jet in $X+PS$ to $X+jet$ matrix element)

- PYTHIA: many  $ee \rightarrow X + jet$ ,  $pp \rightarrow (h,V) + jet$  and most top, EW & MSSM decays
- HERWIG: many  $ee \rightarrow X + jet$  (incl  $VV$ ), DIS,  $pp \rightarrow (V,h) + jet$ , top decay

## 2) LO Matching (combining LO $X$ , $X+jet$ , $X+2jets$ , ... with PS)

- SHERPA: “CKKW” matching for  $e+e- \rightarrow n jets$ ,  $pp \rightarrow (V,VV) + jets$
- PATRIOT: Pre-prepared ME/PS matched samples (using MADGRAPH with PYTHIA, stored in MCFIO format) for  $(W, Z) + jets (\leq 4)$ , for Tevatron
- ARIADNE: Vetoed Shower matching (interface to MADGRAPH) for  $e+e- \rightarrow n jets$  and  $pp \rightarrow W + jets$  (DIS underway)

## 3) NLO Matching (matching NLO matrix elements with PS)

- MC@NLO: NLO + HERWIG for:  $pp \rightarrow (h,V,VV,QQ,ll) + jets$

[+ MCFM: NLO (no PS) for  $pp \rightarrow (V,h)+jets, VV,Vh, WBF, single top$ ]

# What I am Talking About



## Focus of this talk:

- Parton Showers & Underlying Events
- Beam Remnants & Hadronization



## Not the focus of this talk:

- Resummation approaches
- Fixed-Order approaches
- Parton Shower / (born-level) Matrix Element matching & merging
- Parton Shower / NLO Matrix Element matching & merging

# Parton Showers: the basics

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- Today, basically 2 approaches to showers:  
Parton Showers (e.g. HERWIG, PYTHIA)  
and Dipole Showers (e.g. ARIADNE).

# Parton Showers: the basics

- Today, basically 2 approaches to showers:  
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and Dipole Showers (e.g. ARIADNE).

Basic formalism: Sudakov (DGLAP) evolution:

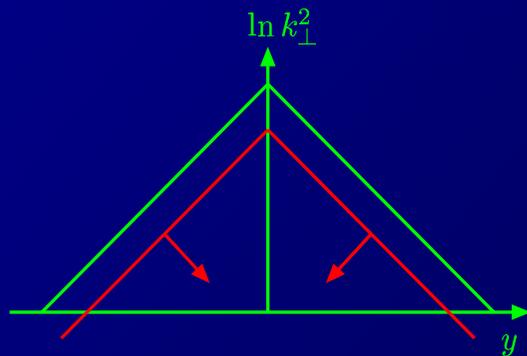
$$\text{FSR : } d\mathcal{P}_a = \frac{dX^2}{X^2} \frac{\alpha_s(X^2)}{2\pi} P_{a \rightarrow bc}(z) dz \exp\left(-\int_X^{X_{\max}} \dots\right)$$

- $X$ : some measure of ‘resolution’,  $z$ : energy sharing
- $P_{a \rightarrow bc}(z)$ : collinear limit ( $t \rightarrow 0$ ) of ME (can include  $m \neq 0$  effects).
- Correctly resums Leading Logs + some NLL effects ( $p_{\perp}$  conservation, running  $\alpha_s$  etc).
- Big boon: universal and amenable to iteration  $\rightarrow$  fully exclusive (=‘resolved’) final states  $\rightarrow$  match to hadronization
- Depends on (universal) phenomenological params (color screening cutoff, ...)  $\leftrightarrow$  determine from data (compare eg with form factors)  $\equiv$  ‘tuning’
- Phenomenological assumptions  $\leftrightarrow$  some algorithms ‘better’ than others.

# Parton Showers: the basics

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Parton Showers (e.g. HERWIG, PYTHIA)  
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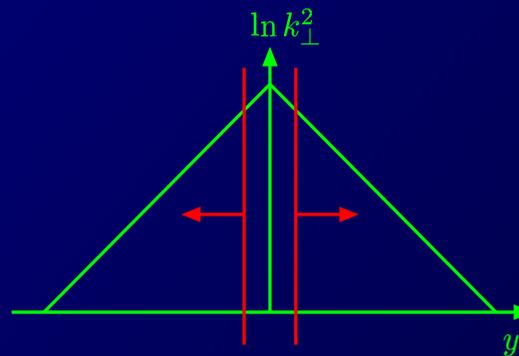
- Essential difference: ordering variables.  
consider e.g. gluon emission off a  $q_1\bar{q}_2$  system.



PYTHIA/JETSET

$$m^2 \quad (-m^2 \text{ for ISR})$$

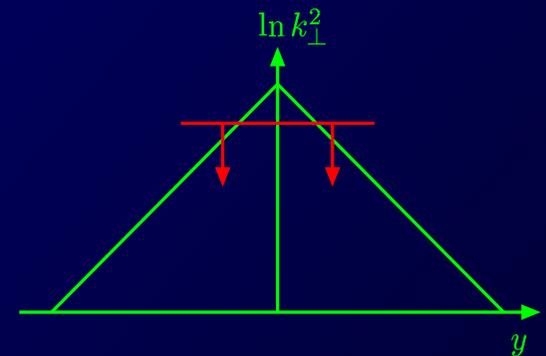
High-virtuality ems. first.



HERWIG

$$\sim E^2\theta^2$$

Large-angle ems. first.



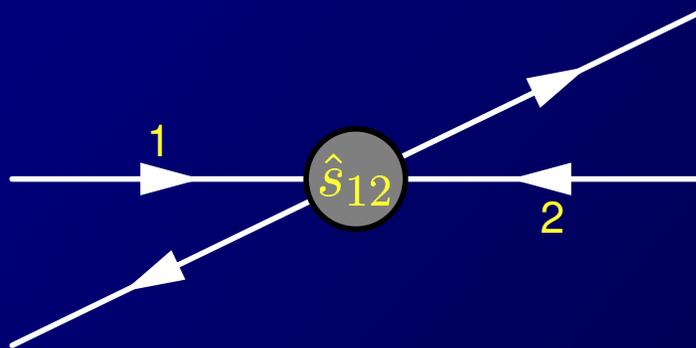
ARIADNE

$$p_\perp^2$$

Large- $p_\perp$  ems. first.

# Parton Showers:

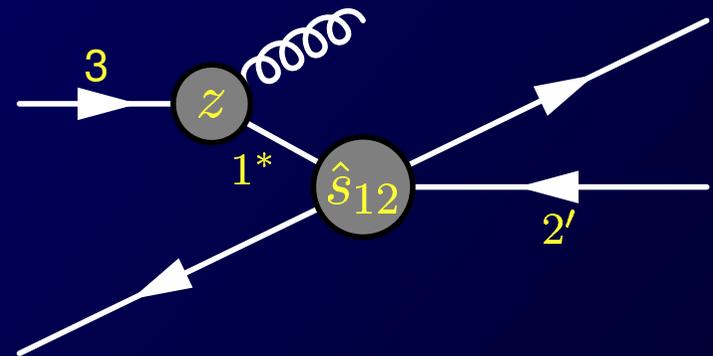
- Today, basically 2 approaches to showers:  
Parton Showers (e.g. HERWIG, PYTHIA)  
and Dipole Showers (e.g. ARIADNE).
- Another important difference is the kinematics construction, i.e. how the on-shell kinematics prior to the branching is reinterpreted to include the virtual (branching) leg.  
e.g. ISR:



2 → 2 Matrix Element  
1 and 2 on shell

$$E_{cm}^2 = \hat{s}_{12} = x_1 x_2 s$$

$Q^2$   
→



(1st) Correction  
3 and 2' now on shell

$$E_{cm}^2 = x_3 x_2 s = \frac{x_1}{z} x_2 s$$

# New Parton Showers: Why Bother?

- 🌐 Today, basically 2 approaches to showers:  
Parton Showers (e.g. HERWIG, PYTHIA)  
and Dipole Showers (e.g. ARIADNE).
- 🌐 Each has pros and cons, e.g.:
  - 🔴 In PYTHIA, ME merging is easy, and emissions are ordered in some measure of (Lorentz invariant) hardness, but angular ordering has to be imposed by hand, and kinematics are somewhat messy.
  - 🔴 HERWIG has inherent angular ordering, but also has the (in)famous “dead zone” problem, is not Lorentz invariant and has quite messy kinematics.
  - 🔴 ARIADNE has inherent angular ordering, simple kinematics, and is ordered in a (Lorentz Invariant) measure of hardness, but is primarily a tool for FSR, with somewhat primitive modeling of ISR and hadron collisions, and  $g \rightarrow q\bar{q}$  is ‘artificial’ in dipole formalism.
  - 🔴 Finally, while all of these describe LEP data very well, none are perfect.
- 🌐 Possible to combine the virtues of each of these approaches while avoiding the vices?

# UE: Present Status

## Available tools:

- 🌐 Soft UE model (min-bias) (HERWIG)
- 🌐 Soft+semi-hard UE (DTU) (ISAJET, DTUJET)
- 🌐 Multiple Interactions (PYTHIA, JIMMY)

Of these, the Sjöstrand–van Zijl model (from 1987) is probably the most sophisticated; (e.g. tunes like ‘Tune A’ can simultaneously reproduce a large part of Tevatron min–bias and UE data, as well as data from other colliders.)

[T. Sjöstrand, M. van Zijl, “A Multiple Interaction Model For The Event Structure In Hadron Collisions”, Phys. Rev. D 36 (1987) 2019.]

[R.D. Field, presentations available at [www.phys.ufl.edu/~rfield/cdf/](http://www.phys.ufl.edu/~rfield/cdf/)]

# New UE Model: Why Bother?

- 🌐 QCD point of view: hadron collisions are complex. Present models are not.  
More detail → more insight → more precision
- 🌐 LHC point of view: reliable extrapolations require such insight.  
Simple parametrizations are not sufficient.
- 🌐 New Physics and precision point of view: random and systematic fluctuations in the underlying activity will impact cuts/measurements:  
More reliable understanding is needed.
- 🌐 Practical point of view: Tevatron (and RHIC, HERA?) data is (will be?) available to test new developments:  
a great topic for phenomenology right now!

# Underlying Event: the basics

Why *multiple perturbative interactions*?

Consider perturbative QCD  $2 \rightarrow 2$  scattering:

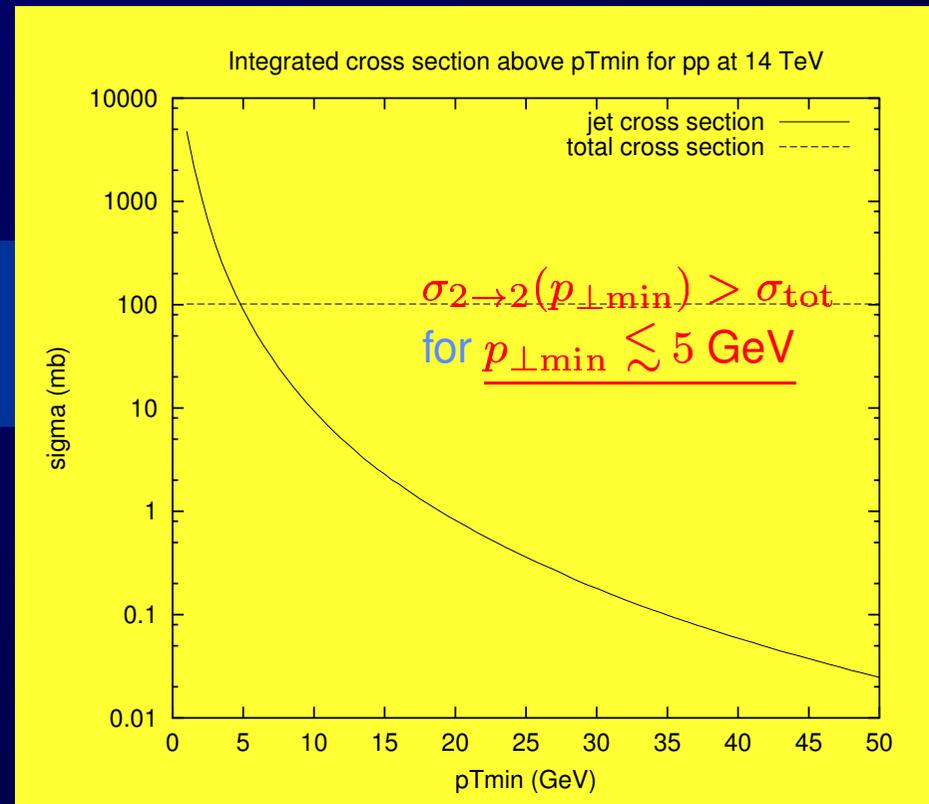
$$\frac{d\hat{\sigma}}{dp_{\perp}^2} \propto \frac{1}{t^2} \sim \frac{1}{p_{\perp}^4}$$

$\Rightarrow$  '2-jet' cross sect

$$\sigma_{2 \rightarrow 2}(p_{\perp \min}) = \int_{p_{\perp \min}}^{\sqrt{s}/2} \frac{d\sigma}{dp_{\perp}} dp_{\perp} \propto \frac{1}{p_{\perp \min}^2}$$

while total pp cross sect:

$$\sigma_{pp} \propto s^{0.08}$$



# What's going on?

## 1. Multiple interactions (MI)!

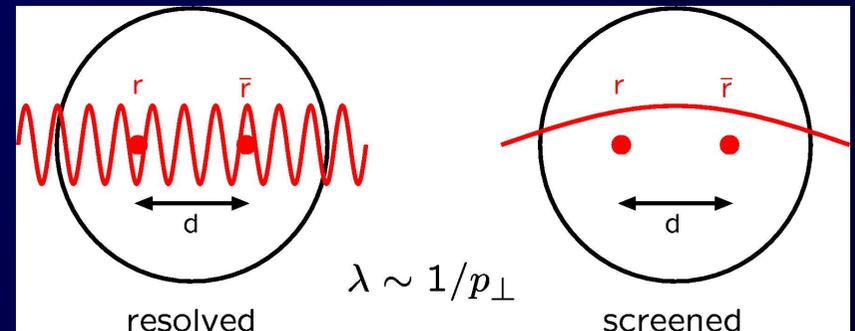
🌐 Must exist (hadrons are composite!)

🌐  $\sigma_{\text{tot}}$ : hadron-hadron collisions.  $\sigma_{\text{tot}} = \sum_{n=0}^{\infty} \sigma_n$

🌐  $\sigma_{2 \rightarrow 2}$ : parton-parton collisions.  $\sigma_{2 \rightarrow 2} = \sum_{n=0}^{\infty} n \sigma_n$

🌐  $\sigma_{2 \rightarrow 2} > \sigma_{\text{tot}} \iff \langle n \rangle > 1$

## 2. Breakdown of pQCD, colour screening.



$p_{\perp 0} \sim 2 \text{ GeV}$

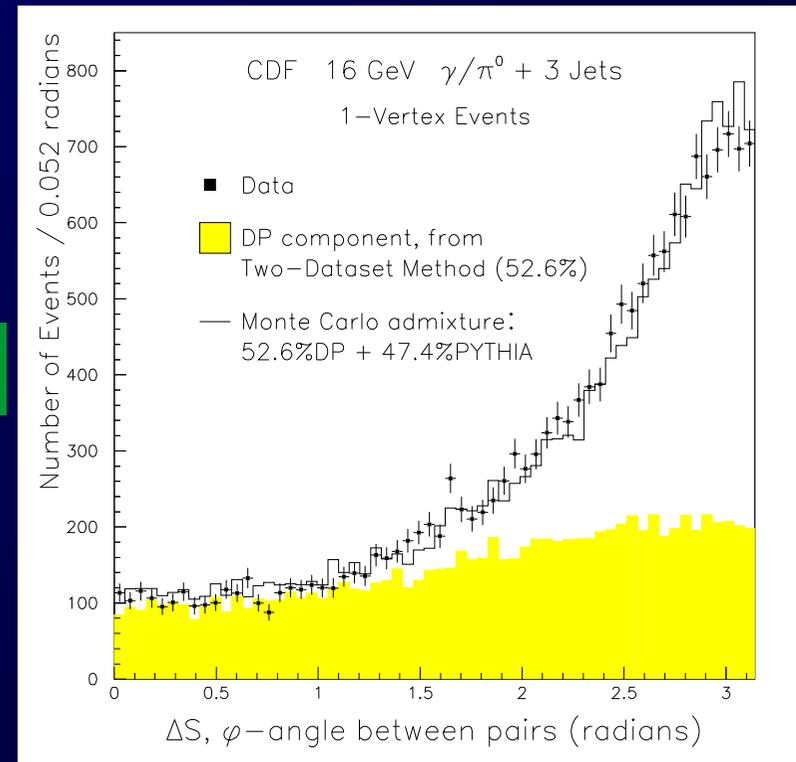
# (Multiple Interactions — Direct Evidence)

**Basic idea** : expect four pair-wise balancing jets in double parton scattering (DPS) but not in double bremsstrahlung emission.

**AFS** : 4-jet events at  $E_{\perp} > 4$  GeV in 1.8 units of  $\eta$ . Project out 2 pairs of jets and study **imbancing variable**,  $I = p_{\perp 1}^2 + p_{\perp 2}^2$ . **Excess of events with small  $I$** .

**CDF** : Extraction by comparing double parton scattering (DPS) to a mix of two separate scatterings. **Sample: 14000  $\gamma/\pi^0 + 3j$  events.**  
**Strong signal observed, 53% DPS**

(Note: only plot made was comparison to PYTHIA with MI switched off!)



# (Multiple Interactions — Indirect Verifications)

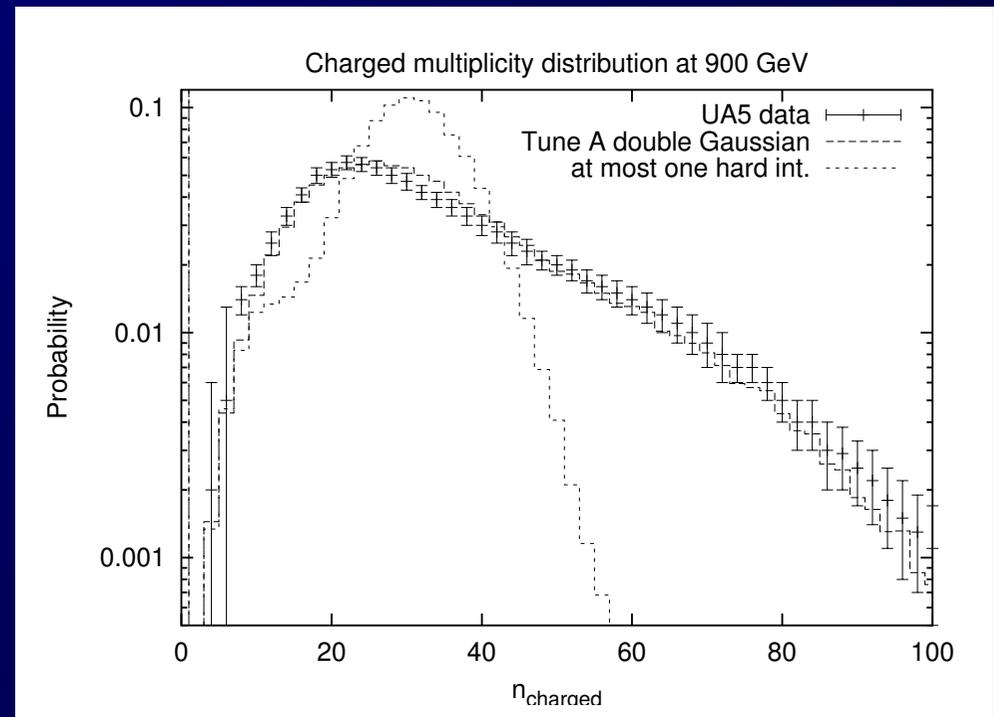
## Basic idea :

- Hadronization alone produces roughly Poissonian fluctuations in multiplicity.
- Additional soft interactions +  $b$  dependence  $\rightarrow$  larger fluctuations.

**UA5** : (900 GeV)

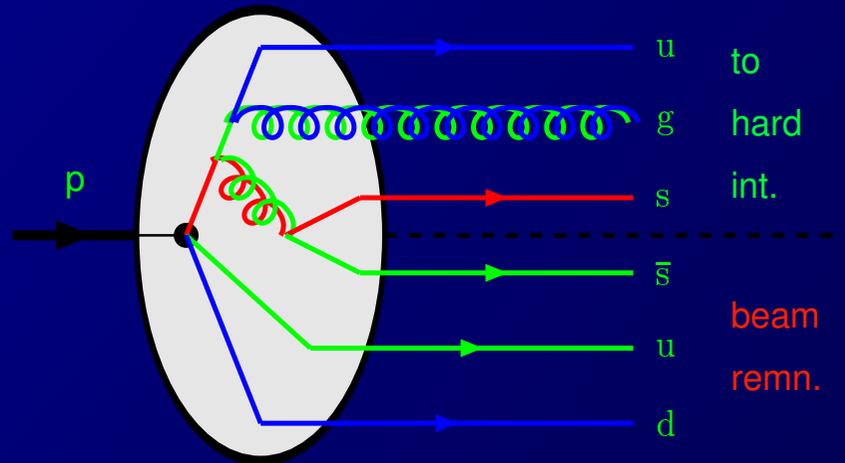
$$\langle n_{\text{ch}} \rangle = 35.6,$$

$$\sigma_{n_{\text{ch}}} = 19.6.$$



- + forward-backward correlations ( **UA5** , **E735** ), pedestal effect ( **UA1** , **CDF** , **H1** ), R. Field's studies ( **CDF** ), ...

# A complete model should address:



How are the hard scattering initiators and beam remnant partons correlated:



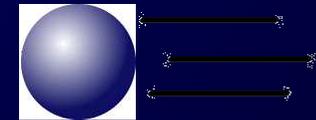
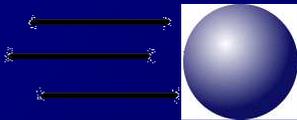
- ☞ In impact parameter?
- ☞ In flavour?
- ☞ In longitudinal momentum?
- ☞ In colour? (→ string topologies, incl. baryonic ones)
- ☞ In (primordial) transverse momentum?
- ☞ What does the beam remnant look like?
- ☞ (How) are the showers correlated / intertwined?

# So...

This was just to argue:

There is no such thing as 'a simple hadron collision'!

or: If a model is simple, it is wrong!



Butch Cassidy and the Sundance Kid. Copyright: Twentieth Century Fox Films Inc.

We therefore proceeded to complicate matters...

# THE NEW FRAMEWORK



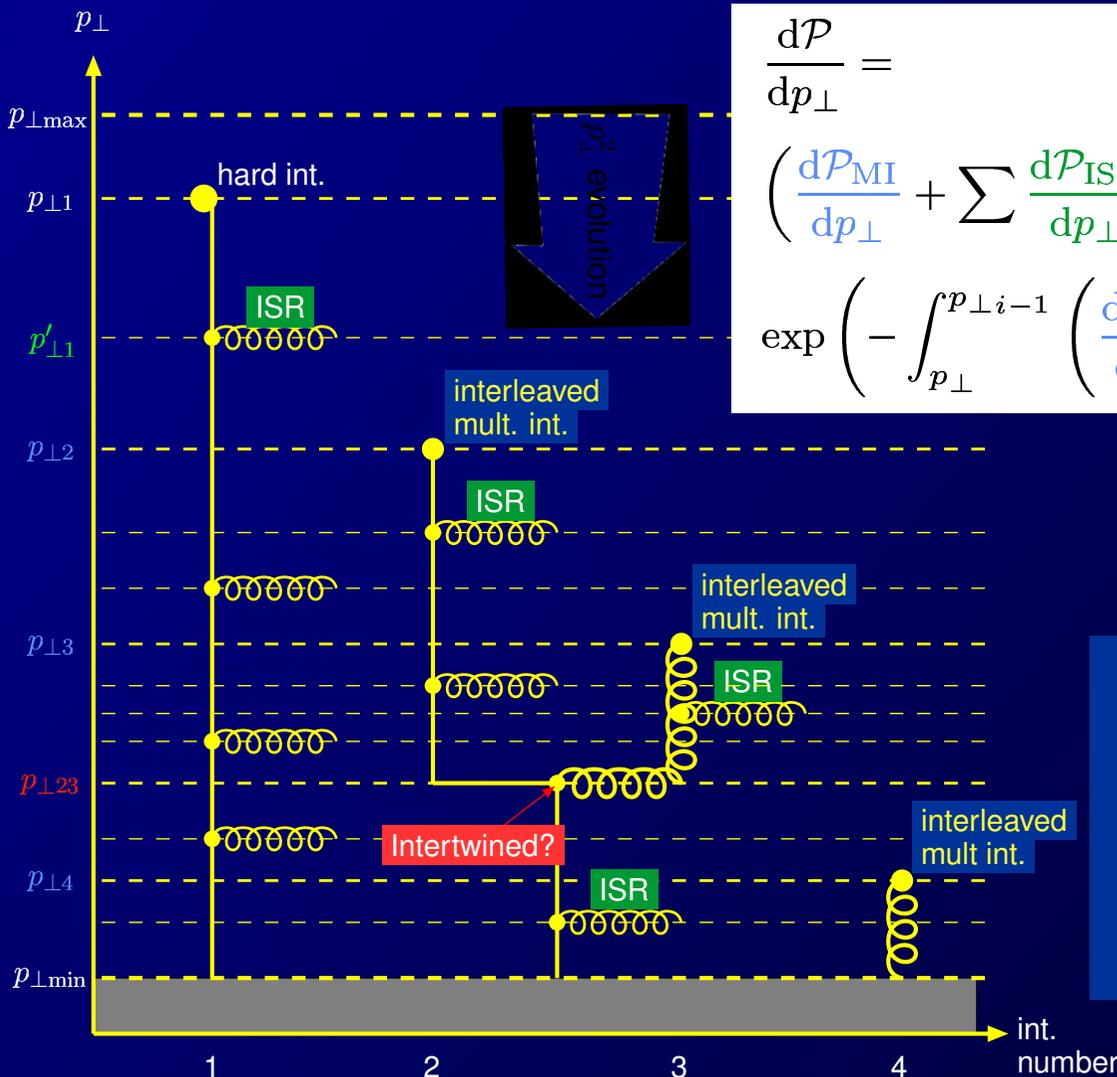
## Multiple Interactions

T. Sjöstrand+PS, JHEP 0403 (2004) 053

T.Sjöstrand+PS, EPJ C39 (2005) 129

# Unifying PS and UE: Interleaved Evolution

The new picture: start at the most inclusive level,  $2 \rightarrow 2$ .  
 Add exclusivity progressively by evolving *everything* downwards.

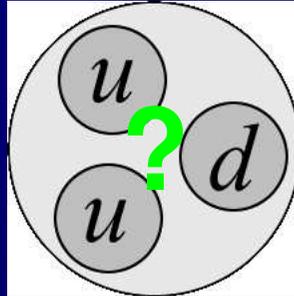


$$\frac{d\mathcal{P}}{dp_{\perp}} = \left( \frac{d\mathcal{P}_{\text{MI}}}{dp_{\perp}} + \sum \frac{d\mathcal{P}_{\text{ISR}}}{dp_{\perp}} + \sum \frac{d\mathcal{P}_{\text{JI}}}{dp_{\perp}} \right) \times \exp \left( - \int_{p_{\perp}}^{p_{\perp i-1}} \left( \frac{d\mathcal{P}_{\text{MI}}}{dp'_{\perp}} + \sum \frac{d\mathcal{P}_{\text{ISR}}}{dp'_{\perp}} + \sum \frac{d\mathcal{P}_{\text{JI}}}{dp'_{\perp}} \right) dp'_{\perp} \right)$$

~ "Finegraining"  
 → correlations between all perturbative activity at successively smaller scales

# Correlations in flavour and $x_i$

Consider a hadron,  $H$ :



MI context: need PDFs for finding partons  $i_1 \dots i_n$  with momenta  $x_1 \dots x_n$  in  $H$  probed at scales  $Q_1 \dots Q_n$

$$f_{i_1 \dots i_n / H}(x_1 \dots x_n, Q_1^2 \dots Q_n^2)$$

But experimentally, all we got is  $n = 1$ .

Global fits:	CTEQ	MRST	
DIS fits:	Alekhin	H1	ZEUS
Other PDF:	GRV	...	

$\rightarrow f_{i_1 / H}(x_1, Q_1^2)$

So we make a theoretical cocktail...

# Correlated PDF's in flavour and $x_i$

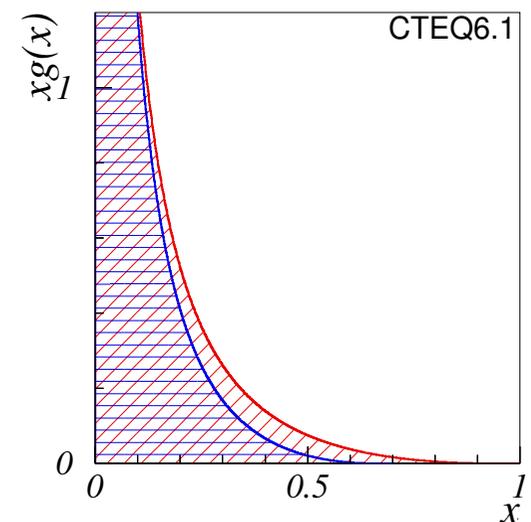
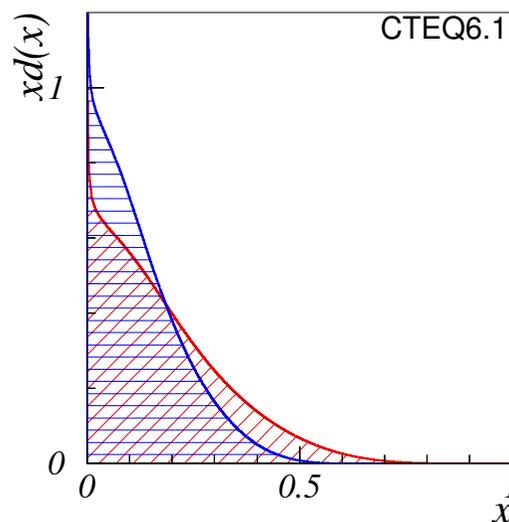
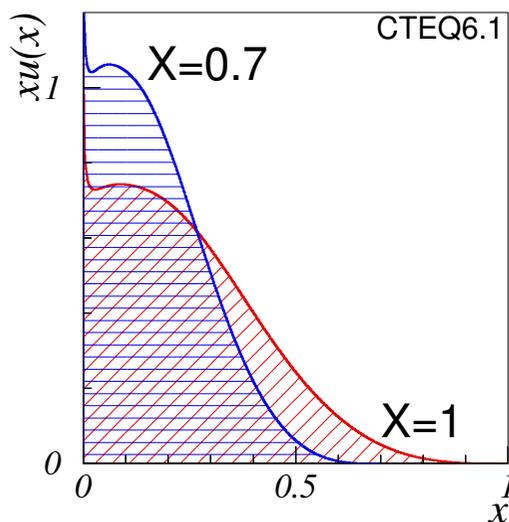
**Q:** What are the pdf's for a proton with 1 valence quark, 2 sea quarks, and 5 gluons knocked out of it?

1. Overall momentum conservation ('trivial'):

Starting point: simple scaling ansatz in  $x$ .

For the  $n$ 'th scattering:

$$x \in [0, X] \ ; \ X = 1 - \sum_i^{n-1} x_i \implies f_n(x) \sim \frac{1}{X} f_0\left(\frac{x}{X}\right)$$



# Correlated PDF's in flavour and $x_i$

**Q:** What are the pdf's for a proton with 1 valence quark, 2 sea quarks, and 5 gluons knocked out of it?

Normalization and shape:

✧ If **valence** quark knocked out.

→ Impose valence counting rule:  $\int_0^X q_{fn}^{\text{val}}(x, Q^2) dx = N_{fn}^{\text{val}}$ .

✧ If **sea** quark knocked out.

→ Postulate “companion antiquark”:  $\int_0^{1-x_s} q_f^{\text{cmp}}(x; x_s) dx = 1$ .

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✧ If **sea** quark knocked out.

→ Postulate “companion antiquark”:  $\int_0^{1-x_s} q_f^{\text{cmp}}(x; x_s) dx = 1$ .

✧ But then **momentum sum** rule would be violated:

$$\int_0^X x \left( \sum_f q_{fn}(x, Q^2) + g_n(x, Q^2) \right) dx \neq X$$

→ Assume **sea+gluon** fluctuates **up** when a valence quark is removed and **down** when a companion quark is added.

# Remnant PDFs

quarks :

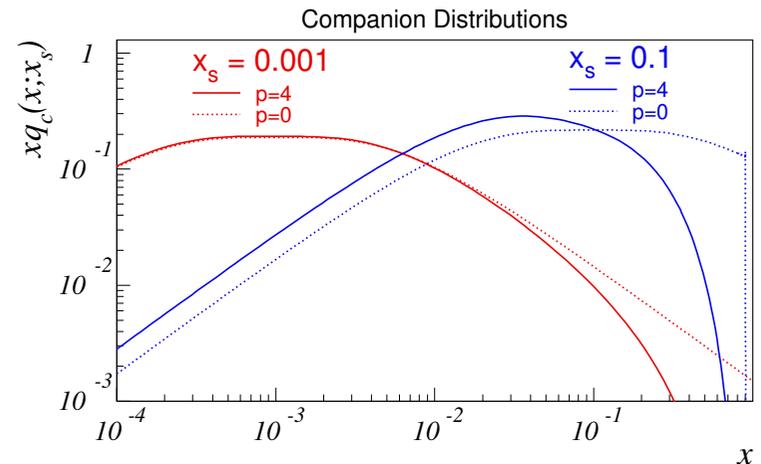
$$q_{fn}(x) = \frac{1}{X} \left[ \frac{N_{fn}^{\text{val}}}{N_{f0}^{\text{val}}} q_{f0}^{\text{val}} \left( \frac{x}{X}, Q^2 \right) + a q_{f0}^{\text{sea}} \left( \frac{x}{X}, Q^2 \right) + \sum_j q_{f0}^{\text{cmp},j} \left( \frac{x}{X}; x_{s_j} \right) \right]$$

$$q_{f0}^{\text{cmp}}(x; x_s) = C \frac{\tilde{g}(x + x_s)}{x + x_s} P_{g \rightarrow q_f \bar{q}_f} \left( \frac{x_s}{x + x_s} \right) ; \left( \int_0^{1-x_s} q_{f0}^{\text{cmp}}(x; x_s) dx = 1 \right)$$

gluons :

$$g_n(x) = \frac{a}{X} g_0 \left( \frac{x}{X}, Q^2 \right)$$

$$a = \frac{1 - \sum_f N_{fn}^{\text{val}} \langle x_{f0}^{\text{val}} \rangle - \sum_{f,j} \langle x_{f0}^{\text{cmp},j} \rangle}{1 - \sum_f N_{f0}^{\text{val}} \langle x_{f0}^{\text{val}} \rangle}$$



Used to select ( $p_{\perp}$ -ordered) set of 2  $\rightarrow$  2 scatterings, and to perform backwards DGLAP ISR evolution.

(Introduces non-trivial correlations in flavour and  $x$  for the first time)

# THE NEW FRAMEWORK



+ showers

T.Sjöstrand+PS, EPJ C39 (2005) 129

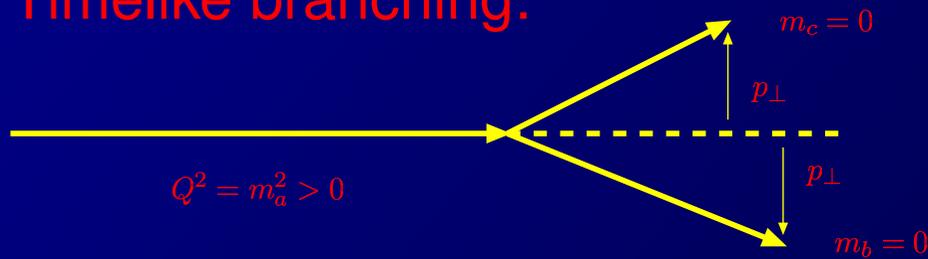
T.Sjöstrand, hep-ph/0401061.

# $p_{\perp}$ -ordered showers: Simple Kinematics

Consider branching  $a \rightarrow bc$  in lightcone coordinates  $p^{\pm} = E \pm p_z$

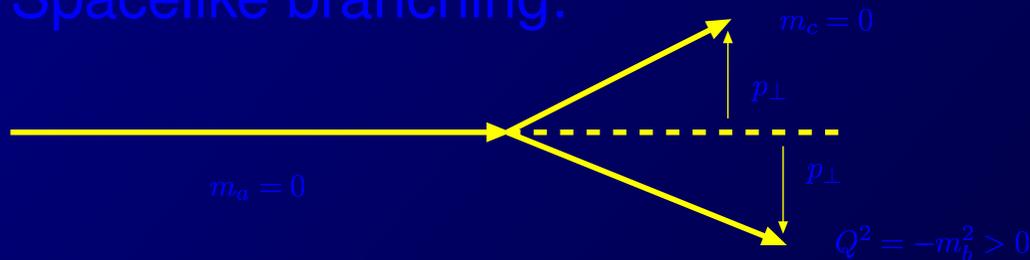
$$\left. \begin{array}{l} p_b^+ = zp_a^+ \\ p_c^+ = (1-z)p_a^+ \\ p^- \text{ conservation} \end{array} \right\} \implies m_a^2 = \frac{m_b^2 + p_{\perp}^2}{z} + \frac{m_c^2 + p_{\perp}^2}{1-z}$$

Timelike branching:



$$p_{\perp}^2 = z(1-z)Q^2$$

Spacelike branching:



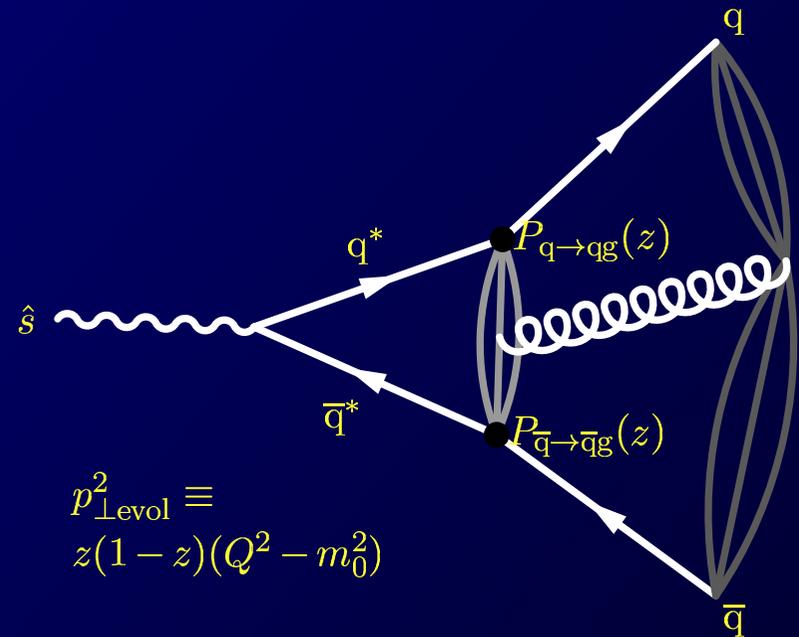
$$p_{\perp}^2 = (1-z)Q^2$$

(NB: massive evolution and massive splitting kernels used for  $m_0 \neq 0$ )

# $p_{\perp}$ -ordered showers: Kinematics

Merged with  $X + 1$  jet Matrix Elements (by reweighting) for:  
 $h/\gamma/Z/W$  production, and for most EW, top, and MSSM decays!

Exclusive *kinematics* constructed  
inside dipoles based on  $Q^2$  and  $z$ ,  
assuming yet unbranched partons  
on-shell



Iterative application of Sudakov factors...

$\Rightarrow$  One combined sequence  $p_{\perp, \text{max}} > p_{\perp 1} > p_{\perp 2} > \dots > p_{\perp, \text{min}}$

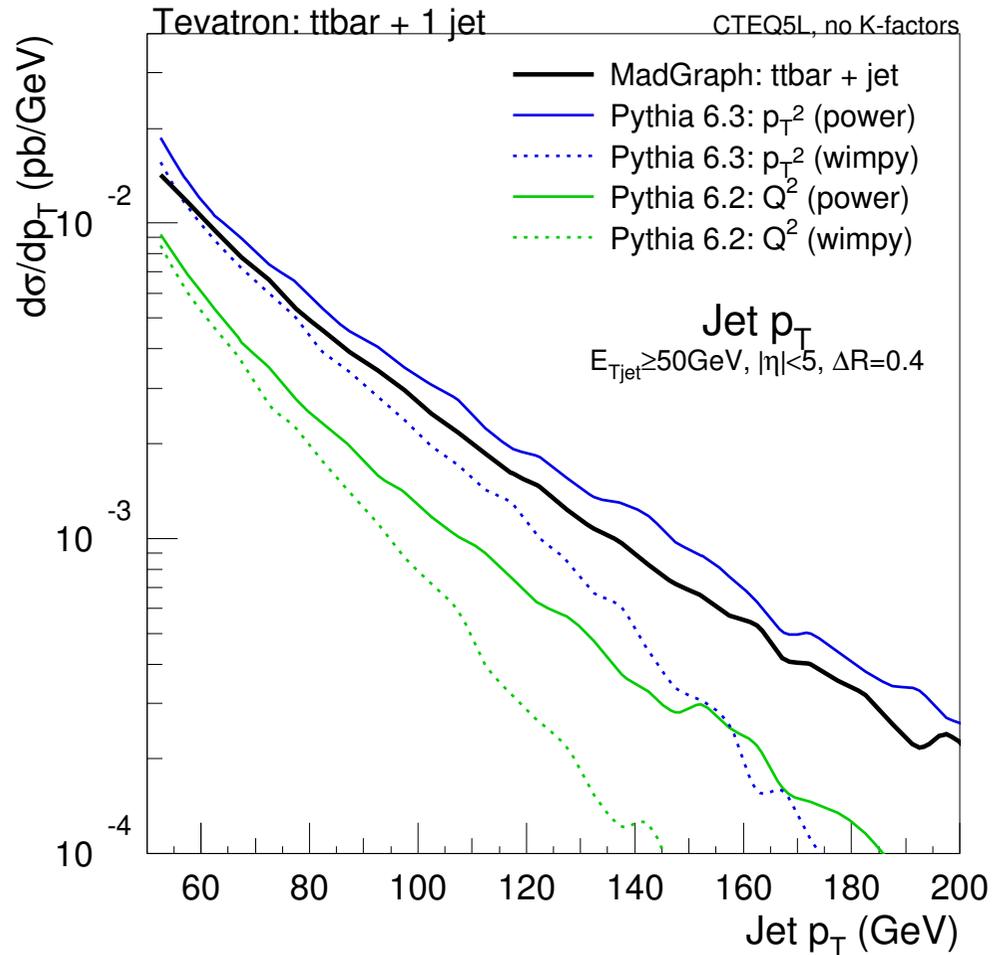
NB: Choice of  $p_{\perp, \text{max}}$  non-trivial and *very* important for hard jet tail  
 $\leftrightarrow$  wimpy vs power showers...

$p_{\perp} \rightarrow 0$

Merged with  $X + h/\gamma/Z/W$  production

Exclusive kinematics inside dipoles based on assuming yet unphysical on-shell

Iterative application  $\Rightarrow$  One combination



T. Plehn, D. Rainwater, PS – in preparation

NB: Choice of  $p_{\perp, \max}$  non-trivial and very important for hard jet tail  $\leftrightarrow$  wimpy vs power showers...

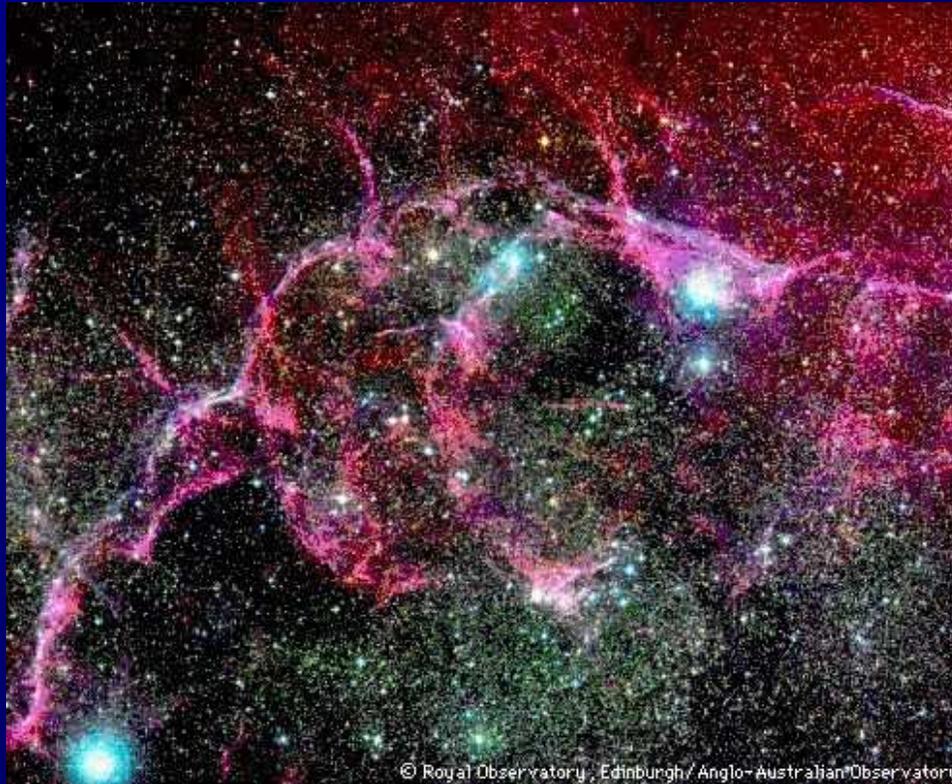
# Model Tests: FSR Algorithm

Tested on ALEPH data (courtesy G. Rudolph).

Distribution of	nb.of interv.	$\sum \chi^2$ of model	
		PY6.3 $p_{\perp}$ -ord.	PY6.1 mass-ord.
Sphericity	23	25	16
Aplanarity	16	23	168
1-Thrust	21	60	8
Thrust <sub>minor</sub>	18	26	139
jet res. $y_3(D)$	20	10	22
$x = 2p/E_{cm}$	46	207	151
$p_{\perp in}$	25	99	170
$p_{\perp out} < 0.7 \text{ GeV}$	7	29	24
$p_{\perp out}$	(19)	(590)	(1560)
$x(B)$	19	20	68
sum	$N_{dof} =$ 190	497	765

(Also, generator is not perfect. Adding 1% to errors  $\Rightarrow$   
 $\sum \chi^2 = 234$ . i.e. generator is 'correct' to  $\sim 1\%$ )

# THE NEW FRAMEWORK

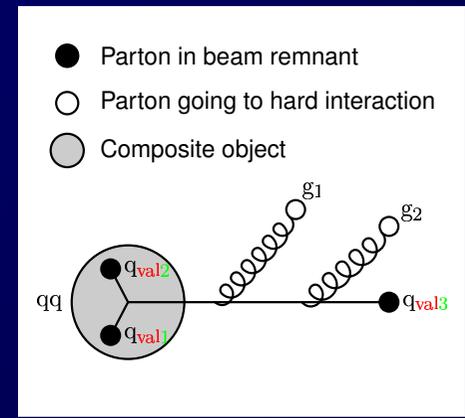


+ remnants  
+ (string) hadronization

T. Sjöstrand+PS, NPB 659 (2003) 243  
T. Sjöstrand+PS, JHEP 0403 (2004) 053

# The Beam Remnant – Fast Forward

- Composite BR systems (diquarks, mesons, w. pion/gluon clouds?) → larger  $x$ ?
- Remnant PDFs (and fragmentation functions) → Lightcone fractions  $x_{j,k}$  in remnants (with  $(E, p)$  conserved)



- Confined wavefunctions → Fermi motion →  $k_{\perp} = \hbar/r_p \sim \Lambda_{\text{QCD}}$ .

Empirically, one notes a need for larger values!

$$\frac{d^2 N}{dk_x dk_y} \propto e^{-k_{\perp}^2 / \sigma^2(Q)}$$

$\sigma(1 \text{ GeV}) \approx 0.36 \text{ GeV (hadr.)}$   
 $\sigma(10 \text{ GeV}) \approx 1 \text{ GeV (EMC)}$   
 $\sigma(m_Z) \approx 2 \text{ GeV (Tevatron)}$

→ Fitted approx. shape  $\sigma(Q) = 2.1Q / (7 + Q) \text{ GeV}$



- Recoils**: along colour neighbours (or chain of neighbours) or onto all initiators and beam remnant partons equally. ( $k_z$  rescaled to maintain energy conservation.)

# Intermezzo: now it gets tougher

## We have arrived at:

- 🌐 A set of  $p_{\perp}$ -ordered interactions, with showers, taking into account non-zero primordial  $k_{\perp}$  effects.
- 🌐 A set of partons (possibly diquarks etc) left behind in the beam remnants, whose flavours are known and whose kinematics have been worked out (i.e.  $x$  and  $\vec{k}_{\perp}$ ).

## But life grants nothing to us mortals without hard work

- 🌐 How are initiator and remnant partons correlated in colour?
- 🌐 How do remnant systems hadronize?

# (...) ⊗ Hadronization.

- Imagine placing a stick o' dynamite inside a proton, imparting the 3 valence quarks with large momenta relative to each other.

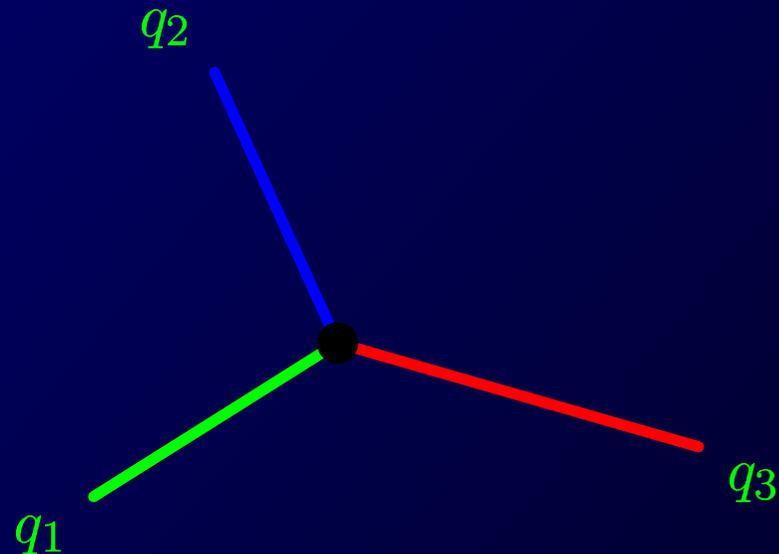
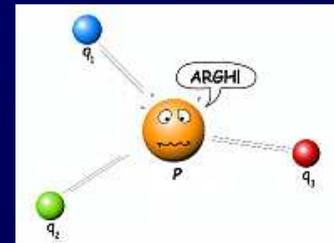
'Ordinary' colour topology

(e.g.  $Z^0 \rightarrow q\bar{q}$ ):



'Baryonic' colour topology

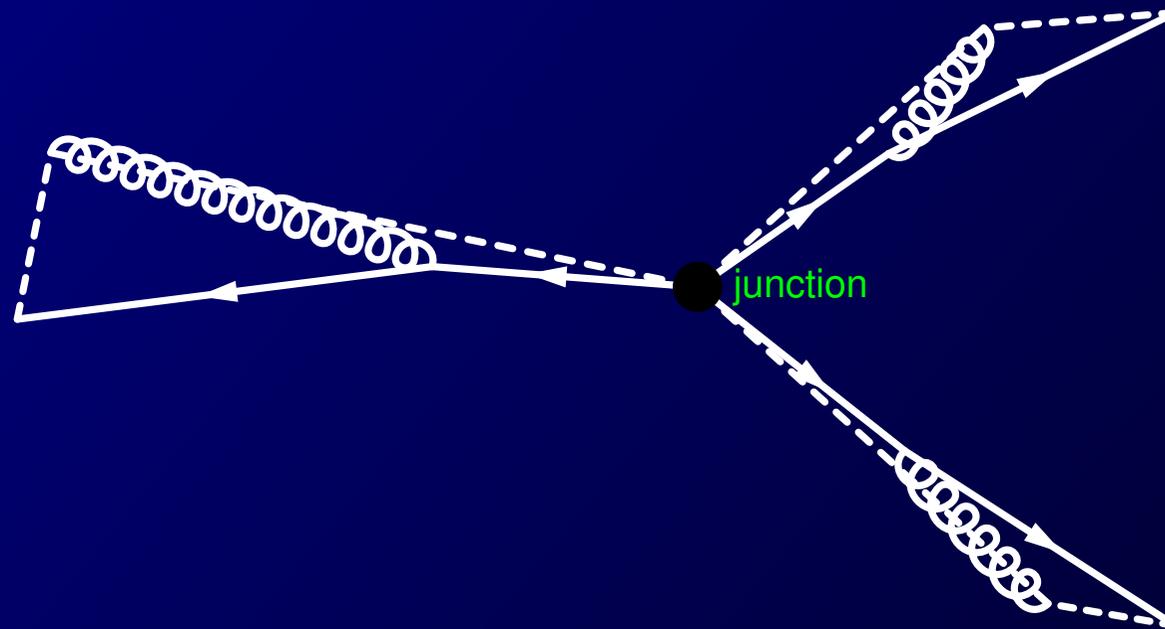
(e.g.  $p \rightarrow q_1 q_2 q_3$ ):



- How does such a system fragment? How to draw the strings?

# Hadronization: String Junctions

- 🌐 Fundamental properties of QCD vacuum suggest string picture still applicable.
- 🌐 Baryon wavefunction building and string energy minimization  $\implies$  picture of 3 string pieces meeting at a 'string junction'.



(Warning: This picture was drawn in a “pedagogical projection” where distances close to the center are greatly exaggerated!)

# (Junction Fragmentation)

## How does the junction move?

- 🌐 A junction is a topological feature of the string confinement field:  $V(r) = \kappa r$ . Each string piece acts on the other two with a constant force,  $\kappa \vec{e}_r$ .
- 🌐  $\implies$  in junction rest frame (JRF) the angle is  $120^\circ$  between the string pieces.
- 🌐 Or better, 'pull vectors' lie at  $120^\circ$ :

$$p_{\text{pull}}^\mu = \sum_{i=1, N} p_i^\mu e^{-\sum_{j=1}^{i-1} \frac{E_j}{\kappa}}$$

(since soft gluons 'eaten' by string)

- 🌐 **Note:** the junction motion also determines the baryon number flow!

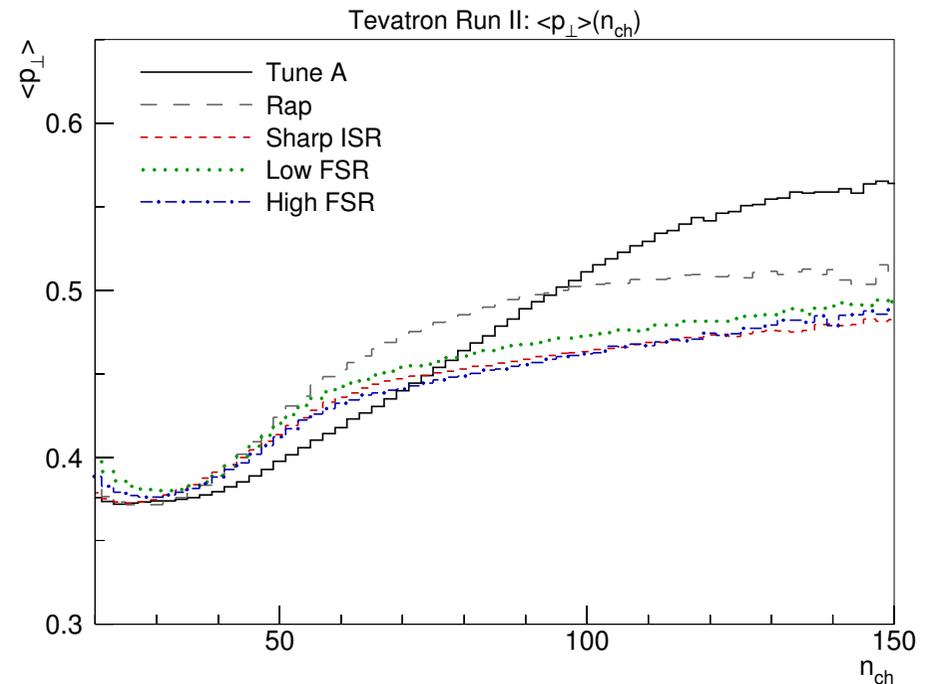
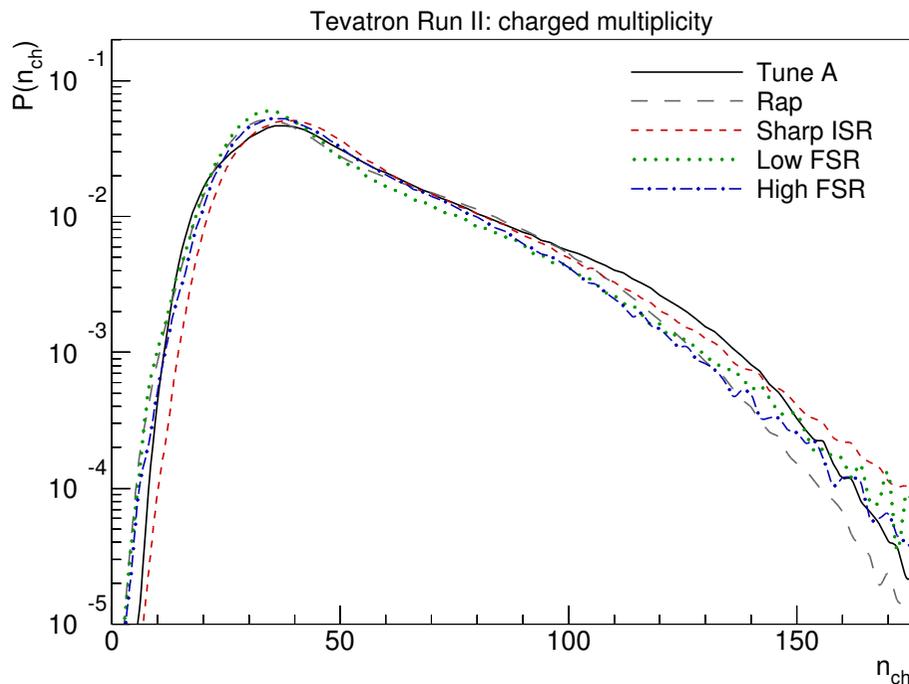


# Model Tests

3 'Tune A'–like tunes at the Tevatron, using charged multiplicity distribution and  $\langle p_{\perp} \rangle(n_{ch})$ , the latter being highly sensitive to (poorly understood) colour correlations.

Similar overall results are achieved (not shown here),

but  $\langle p_{\perp} \rangle(n_{ch})$  still difficult!



# Colour Correlations:

Currently, this is the biggest question.

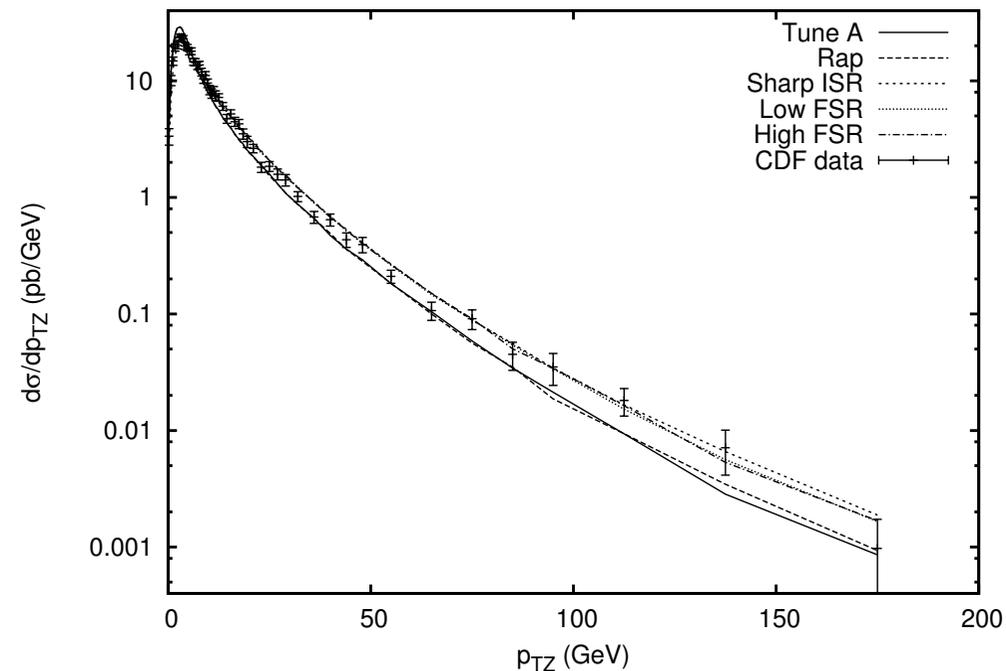
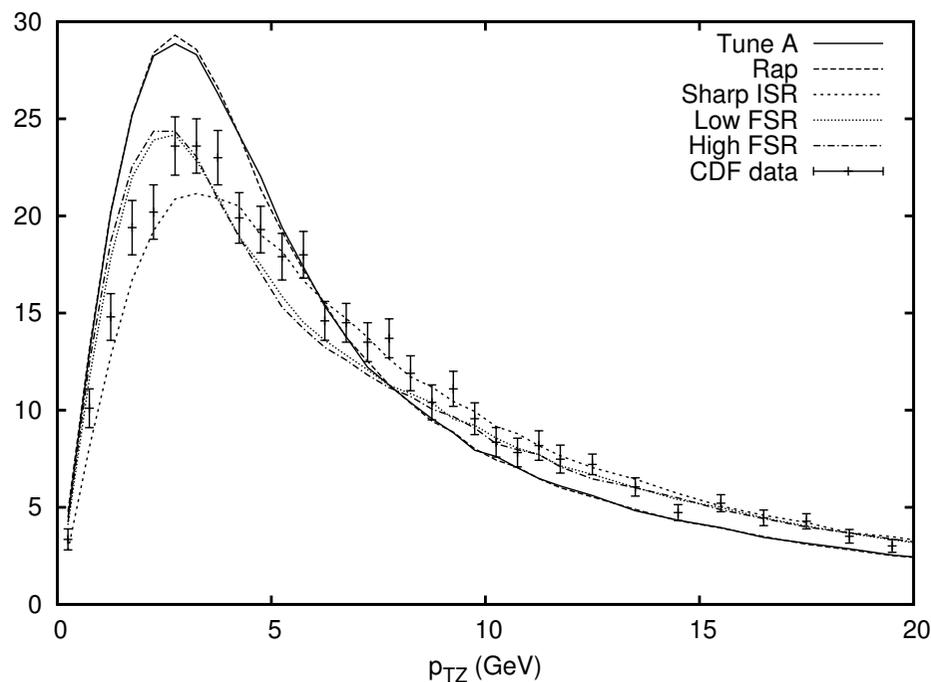
- 🌐 Tune A depends on VERY high degree of (brute force) colour correlation in the final state.
- 🌐 Several physical possibilities for colour flow ordering investigated with new model. So far it has not been possible to obtain similarly extreme correlations.
- 🌐 This may be telling us interesting things!

More studies are still needed... in progress.

- 🌐 Fortunately, this is not a showstopper. Mostly relevant for soft details (parton  $\leftrightarrow$  hadron multiplicity etc).

# Model Tests: ISR Algorithm

- 🌐 Less easy to test. We looked at  $p_{\perp}$  of  $Z^0$  at Tevatron.
- 🌐 Compared “Tune A” with an ‘intermediate scenario’ (“Rap”), and three rough tunes of the new framework.
- 🌐 Description is improved (but there is still a need for a large primordial  $k_{\perp}$ ).



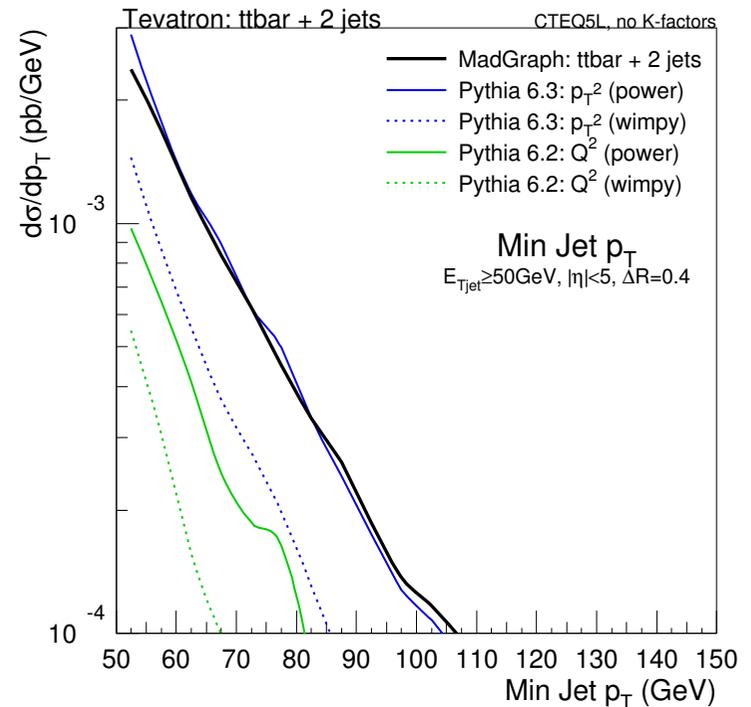
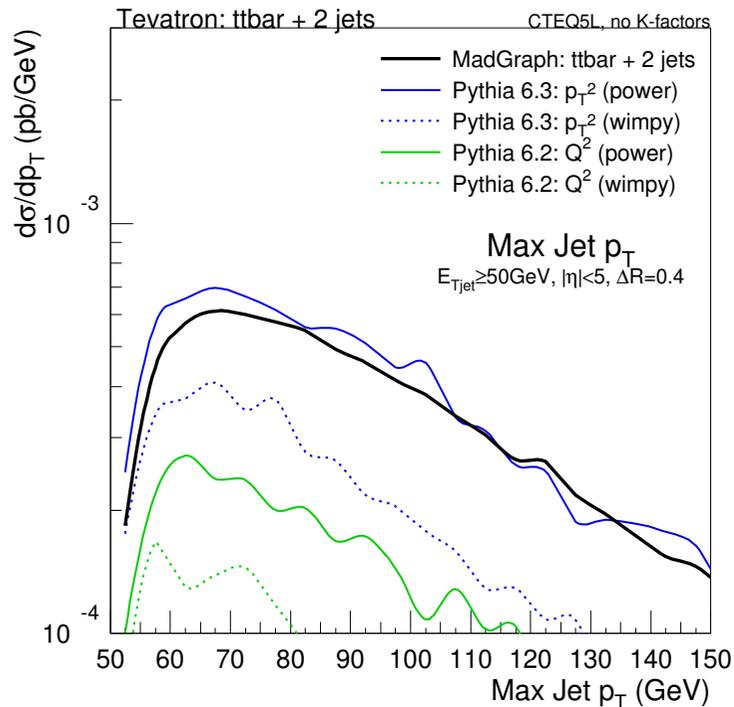
→ More studies ongoing (e.g. looking at  $p_{\perp}$  of  $t\bar{t}$ )...

# Outlook

- Exp: High energies & statistics → corresponding demands on theoretical precision for (all aspects of) hadron collisions.
- We've developed a comprehensive new UE/PS model:  $p_{\perp}$ -ordered hybrid of parton and dipole showers, *interleaved* with multiple perturbative interactions.
- It is now publically available! → PYTHIA 6.3  
Old framework: PYEVNT, New framework: PYEVNW (+ new params!)
- Good overall performance, though still only primitive studies/tunes carried out (except for FSR).
- Colour correlations still a headache.

# Outlook

Exp: High energies & statistics & corresponding



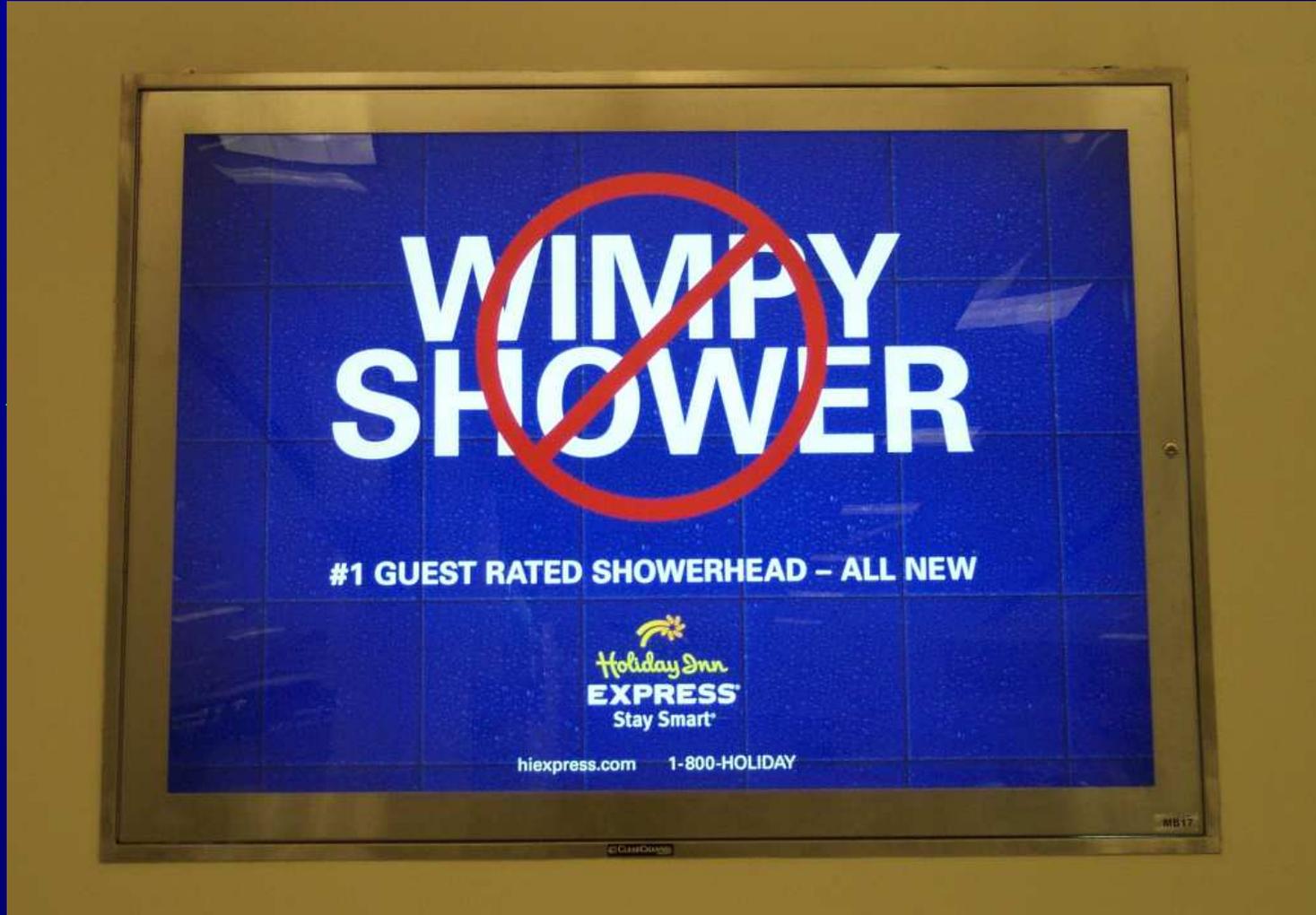
T. Plehn, D. Rainwater, PS – in preparation



New Power Showers bode well for “blind” applications:

- processes not yet studied with more “sophisticated” methods
- further emissions when hardest given by Matrix Element

# Outlook



New Power Showers bode well for “blind” applications:

- processes not yet studied with more “sophisticated” methods
- further* emissions when hardest given by Matrix Element

# ( $p_{\perp}$ -ordered showers: Some Details)



## FSR Evolution:

- Massive quarks:  $p_{\perp\text{evol}}^2 = z(1-z)(m^2 - m_Q^2)$   
 $\Rightarrow m^2 \rightarrow m_Q^2$  when  $p_{\perp\text{evol}}^2 \rightarrow 0$
- Special treatment of narrow resonances (e.g. top)



## ISR Evolution:

- Massive quarks:  $p_{\perp\text{evol}}^2 = (1-z)(Q^2 + m_Q^2) = m_Q^2 + p_{\perp\text{LC}}^2$   
 $\Rightarrow$  Light-Cone  $p_{\perp\text{LC}}^2 \rightarrow 0$  when  $p_{\perp\text{evol}}^2 \rightarrow m_Q^2$
- Also explicit (universal)  $m \neq 0$  effects in splitting kernels  $P(z)$ , from massive matrix elements
- Correlated PDFs in ISR evolution



## Both ISR and FSR:

- ME merging by veto for many SM+MSSM processes
- Gluon polarization  $\rightarrow$  asymmetric  $\varphi$  distribution

# PYTHIA 6.3

## OVERVIEW OF RELEVANT PARAMETERS

# PYTHIA 6.3 Parameter Overview: Switches

- MSTP (61) Master switch for initial–state radiation. Default is on.
- MSTP (71) Master switch for final–state radiation. Default is on.
- MSTP (81) Master switch for multiple interactions and beam remnant framework.
- MSTP (70) Selects regularization scheme for ISR when  $p_{\perp} \rightarrow 0$ . Default is sharp cutoff at the regularization scale used for MI.
- MSTP (72) Selects maximum scale for radiation off FSR dipoles stretched between ISR partons. Default is  $p_{\perp}$  scale of radiating parton.
- MSTP (82) Selects which functional form to assume for the impact-parameter dependence of the matter overlap between two beam particles.
- MSTP (84) Selects whether initial–state radiation is turned on or off for subsequent interactions (i.e. interactions after the main one). Default is on.
- MSTP (85) Selects whether final–state radiation is turned on or off for subsequent interactions (i.e. interactions after the main one). Default is on.
- MSTP (89) Controls how initial–state parton shower initiators are colour–connected to each other. Default is to assume a rapidity ordering.
- MSTP (95) Selects whether colour reconnections are allowed or not. Default is on.

# PYTHIA 6.3 Parameter Overview: Parameters

- PARP (82) Regularization scale,  $p_{\perp 0}$ , for multiple interactions, at reference energy PARP (89). Default is 2 GeV.
- PARP (89) Reference energy for energy rescaling of  $p_{\perp 0}$  cutoff, i.e. the energy scale at which  $p_{\perp 0}$  is equal to PARP (82). Default is 1800 GeV.
- PARP (90) Power of energy rescaling used to determine the value of  $p_{\perp 0}$  at scales different from the reference scale PARP (89).
- PARP (83 : 84) Shape parameters, controlling the assumed matter distribution or overlap profile, as applicable (i.e. depending on MSTP (82)).
- PARP (78) Controls the amount of colour reconnection in the final state.
- PARP (79) Enhancement factor for  $x$  values of composite systems (e.g. diquarks) in the beam remnant.
- PARP (80) Suppression factor for initial–state colour connections that would break up the beam remnant.

# More information on PYTHIA 6.3

-  The PYTHIA 6.3 manual: [hep-ph/0308153](http://hep-ph/0308153)
-  “Notes on using PYTHIA 6.3”: on my homepage:  
<http://home.fnal.gov/~skands/>
-  Physics descriptions of the new ISR/FSR/MI framework:
  -  TS+PS, “Transverse-Momentum-Ordered Showers and Interleaved Multiple Interactions”, [hep-ph/0408302](http://hep-ph/0408302).
  -  TS, “New Showers with transverse-momentum-ordering”, [hep-ph/0401061](http://hep-ph/0401061).
  -  TS+PS, “Multiple Interactions and the Structure of Beam Remnants”, JHEP 0403 (2004) 053.
-  + Slides like these.  
(See “Slides/Talks” on my homepage for a complete list)