

Constraining the top-Z coupling through $t\bar{t}Z$ production at the LHC

Raoul Röntsch



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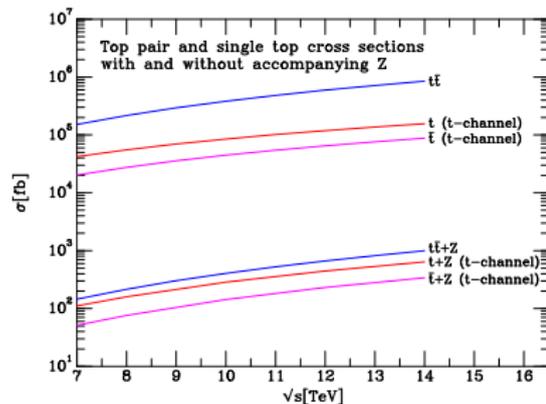
RR and Markus Schulze
arXiv:hep-ph/1404.1005

- Top quark has **largest mass** of known quarks.
- Decays before hadronization.
- "Natural" Yukawa $y_t \sim 1$.
- **Special role in EWSB?**
- Expect **top-EW couplings** to be **highly sensitive** to EWSB mechanism.

⇒ measurement of top-EW couplings is **part of the program of understanding EWSB**, as well as avenue for **finding/bounding New Physics effects**.

LHC a **top factory**: $\sigma_{t\bar{t}} \sim nb$ at $\sqrt{s} = 14$ TeV

$\Rightarrow \sim 10^9$ top pairs over lifetime of LHC.



Campbell, Ellis, RR, hep-ph/1302.3856

- $t\bar{t} + \gamma$, $t\bar{t}Z$ and $t\bar{t}W$ observed in run I.

hep-ex/1307.4568, ATLAS-CONF-2012-126, hep-ex/1303.3239

- Low statistics in $t\bar{t}Z$ channel: CMS 9 events, ATLAS 1 event.

Long-term project requiring high luminosity at higher energy run.

Energy and luminosity large enough to produce **massive EW particles** in association with $t\bar{t}$.

\rightarrow **direct measurement of top-EW couplings**

No **direct constraints** placed on top-Z couplings to date.

Indirect constraints through LEP data:

- Zbb coupling and ρ parameter closely constrained by fits to ϵ_1 and ϵ_b .
- R_b and A_{FB}^b also constrain $Zb_L b_L$ couplings \rightarrow constrain $Zt_L t_L$ coupling (under assumption of $SU(2)$ symmetry).
- Translate into $\sim 1\%$ **constraints** on top-Z coupling.

Unlikely that LHC will be able to improve on this.

COMPLEMENT, not **COMPETE**.

How well can the top-Z coupling be constrained at the $\sqrt{s} = 13$ TeV LHC?

- Luminosity – e.g. 30, 300, 3000 fb^{-1}
- Experimental accuracy
- **Theoretical accuracy**

Cf. Baur, Juste, Orr, Rainwater:

hep-ph/0412021, hep-ph/0512262

- 1 Trileptonic channel $t\bar{t}Z \rightarrow (jjbb)l\nu l^+ l^-$ best compromise between clean signal and overall rate.
- 2 Shape of opening angle between leptons from Z decay $\Delta\phi_{ll}$ sensitive to top-Z couplings.
- 3 Scale uncertainty is biggest obstacle (on theoretical side)!

Motivated by this, we perform a **partonic level** calculation to **NLO** in pQCD.
→ decrease scale uncertainty

Work in **narrow width approximation** ($\sim \mathcal{O}(1\%)$ error)

Decays of top quarks and Z-boson include **spin correlations** to NLO.
→ realistic experimental cuts; use spin correlations as discriminating variable

In SM, top-Z coupling is

$$\mathcal{L}_{t\bar{t}Z}^{\text{SM}} = ie\bar{u}(p_t) \left[\gamma^\mu (C_V^{\text{SM}} + \gamma_5 C_A^{\text{SM}}) \right] v(p_{\bar{t}}) Z_\mu$$

$$C_V^{\text{SM}} = \frac{T^3 - 2Q_t \sin^2 \theta_W}{2 \sin \theta_W \cos \theta_W}$$

$$C_A^{\text{SM}} = \frac{-T^3}{2 \sin \theta_W \cos \theta_W}$$

Write **New Physics** in EFT

$$\mathcal{L}_{t\bar{t}Z}^{\text{NP}} = \sum_i \frac{C_i}{\Lambda^2} O_i + \dots$$

Assuming **dimension-six**, **gauge invariant** operators, Lagrangian is

$$\mathcal{L}_{t\bar{t}Z} = ie\bar{u}(p_t) \left[\gamma^\mu (C_{1,V} + \gamma_5 C_{1,A}) + \frac{i\sigma_{\mu\nu} q_\nu}{M} (C_{2,V} + i\gamma_5 C_{2,A}) \right] v(p_{\bar{t}}) Z_\mu$$

Aguilar-Saavedra, hep-ph/0811.3842

$$\mathcal{L} = ie\bar{u}(p_t) \left[\gamma^\mu (C_{1,V} + \gamma_5 C_{1,A}) + \underbrace{\frac{i\sigma_{\mu\nu}q_\nu}{M} (C_{2,V} + i\gamma_5 C_{2,A})}_{\text{dipole moment}} \right] v(p_{\bar{t}}) Z_\mu$$

Treat $C_{1,V}$, $C_{1,A}$, $C_{2,V}$, $C_{2,A}$ as **anomalous couplings** - independent of kinematics

- Electric and magnetic top dipole moment.
- Zero at tree-level in SM.
- Small loop-induced corrections in SM.
- Non-renormalizable amplitudes.

- Dipole coefficients $C_{2,V}$ and $C_{2,A}$ set to zero.
- Focus on $C_{1,V}$ and $C_{1,A}$.
- Define

$$\Delta C_{1,V} = \frac{C_{1,V}}{C_V^{\text{SM}}} - 1 ; \quad \Delta C_{1,A} = \frac{C_{1,A}}{C_A^{\text{SM}}} - 1.$$

- Inclusive cross-section at $\sqrt{s} = 7$ TeV LHC:

$$\sigma_{t\bar{t}Z}^{\text{LO}} = 103.5 \text{ fb};$$

$$\sigma_{t\bar{t}Z}^{\text{NLO}} = 137.0 \text{ fb}$$

(perfect agreement with results of Garzelli, Kardos, Papadopoulos, Trocsanyi)

hep-ph/1111.0610, hep-ph/1111.1444, hep-ph/1208.2665

- In tripletonic decay $t\bar{t}Z \rightarrow (jjbb\nu l^+ l^-)$ at $\sqrt{s} = 13$ LHC TeV:

$$\sigma_{t\bar{t}Z}^{\text{LO}} = 3.80_{-25\%}^{+34\%} \text{ fb};$$

$$\sigma_{t\bar{t}Z}^{\text{NLO}} = 5.32_{-14\%}^{+15\%} \text{ fb}$$

(using $\mu_0 = mt + m_z/2$)

Inclusive cuts:

$$p_{T,j} > 20 \text{ GeV}$$

$$p_{T,l} > 15 \text{ GeV}$$

$$p_{T,\text{miss}} > 20 \text{ GeV}$$

$$|y_l| < 2.5, |y_j| < 2.5$$

$$R_{lj} > 0.4$$

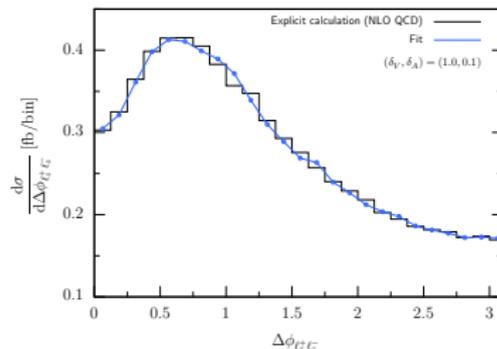
- Scale uncertainty $\pm 28\%$ at LO and $\pm 14\%$ at NLO.
- $k = \sigma^{\text{NLO}}/\sigma^{\text{LO}} \simeq 1.4$.

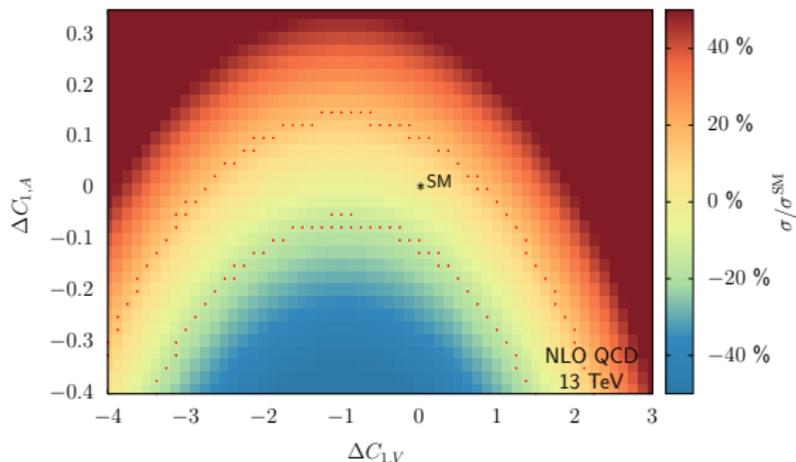
Compute $d\sigma_{\text{LO}}(\Delta C_{1,V}, \Delta C_{1,A})$ and $d\sigma_{\text{NLO}}(\Delta C_{1,V}, \Delta C_{1,A})$ at $\mu = \mu_0$.
 \Rightarrow large number of computations!

Notice that (at LO or NLO), $\mathcal{A}_{t\bar{t}Z} = A_0 + A_V C_{1,V} + A_A C_{1,A}$.
 Then cross-section

$$d\sigma = s_0 + s_1 C_{1,V} + s_2 C_{1,V}^2 + s_3 C_{1,A} + s_4 C_{1,A}^2 + s_5 C_{1,V} C_{1,A}$$

- 1 Compute for **six** values of $C_{1,V}$ and $C_{1,A}$.
- 2 Solve for s_i .
- 3 Generate all other values of $d\sigma$.
- 4 Works on **overall cross-sections** and **distributions**.





- Cross-section changes by approx. 50% in $(\Delta C_{1,V}, \Delta C_{1,A})$ plane.
- Symmetric about $\Delta C_{1,V} = -1$, expected around $\Delta C_{1,A} = -1$.
- Far greater sensitivity to $\Delta C_{1,A}$ than $\Delta C_{1,V}$.
- Cross-sections within scale uncertainty band $\sim 15\%$ **cannot be distinguished** from SM

e.g. $(\Delta C_{1,V}, \Delta C_{1,A}) = (1.7, -0.3)$

First observation of $t\bar{t}Z$ at the LHC:

- ATLAS sees 1 event with 4.7fb^{-1} .
- CMS sees 9 events with 4.9fb^{-1} (bg. expectation 3.2 events).

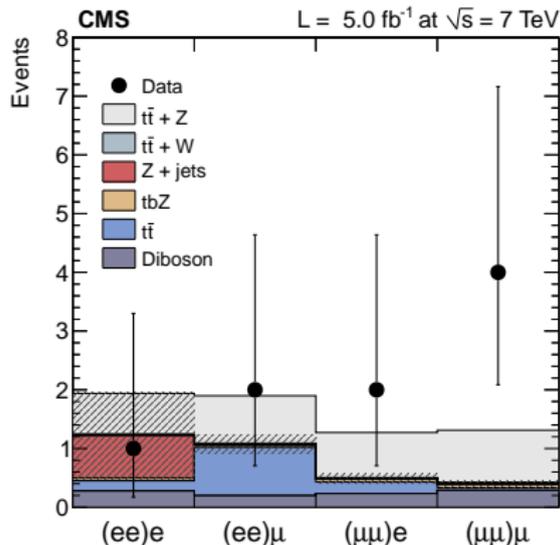
⇒ CMS finds

$$\sigma_{t\bar{t}Z} = 0.28_{-0.11}^{+0.14} \text{ (stat.)}_{-0.03}^{+0.06} \text{ (syst.) pb}$$

(Good agreement w.

$$\sigma_{\text{NLO}} = 0.137 \text{ pb.})$$

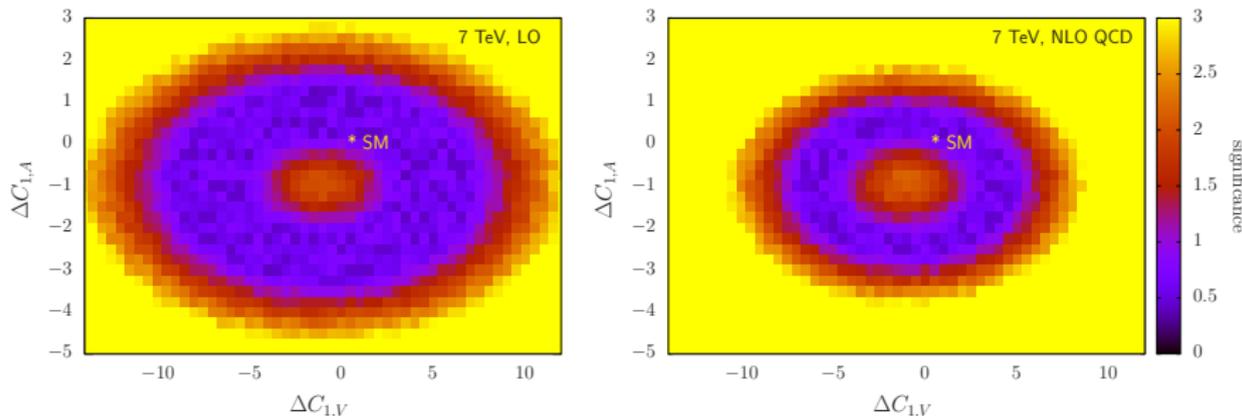
Use overall cross-section to put **first direct constraints** on top-Z coupling.



hep-ex/1303.3239

Log-likelihood analysis

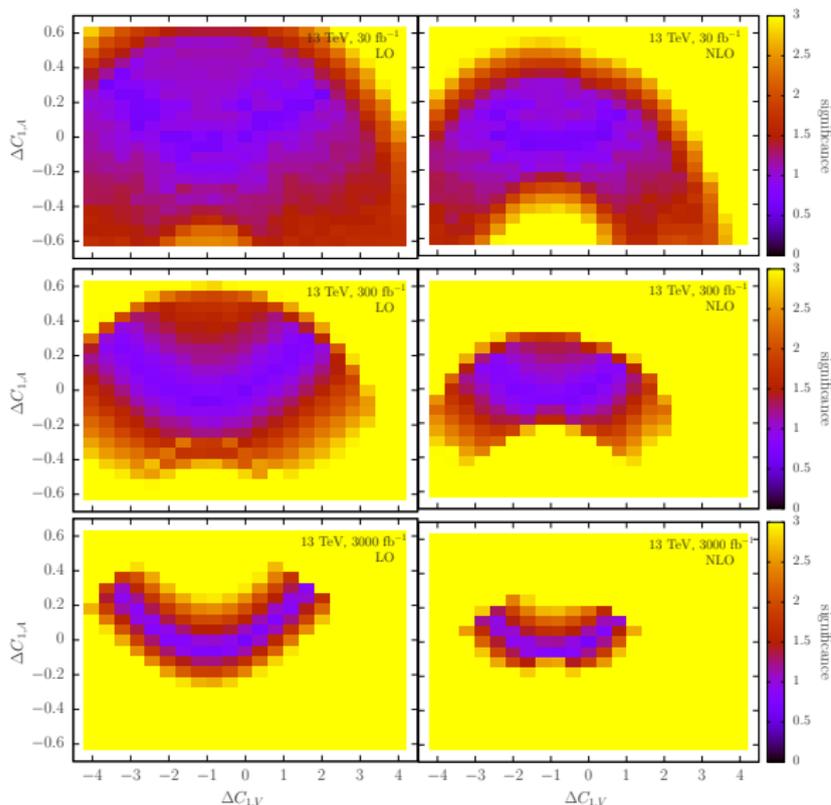
- using theoretical (scale+pdf) uncertainty of **40% at LO** and **15% at NLO** and
- Gaussian multiplicative factor for experimental systematic uncertainty (20%).



- Rough guide: red excluded at $1\text{-}\sigma$, orange at $2\text{-}\sigma$, yellow at $3\text{-}\sigma$.
- SM at $(\Delta C_{1,V}, \Delta C_{1,A}) = (0, 0)$ consistent with measurement.
- Much tighter constraints at **NLO** (reduced scale uncertainty; k -factor).
- **But constraints are very loose.**

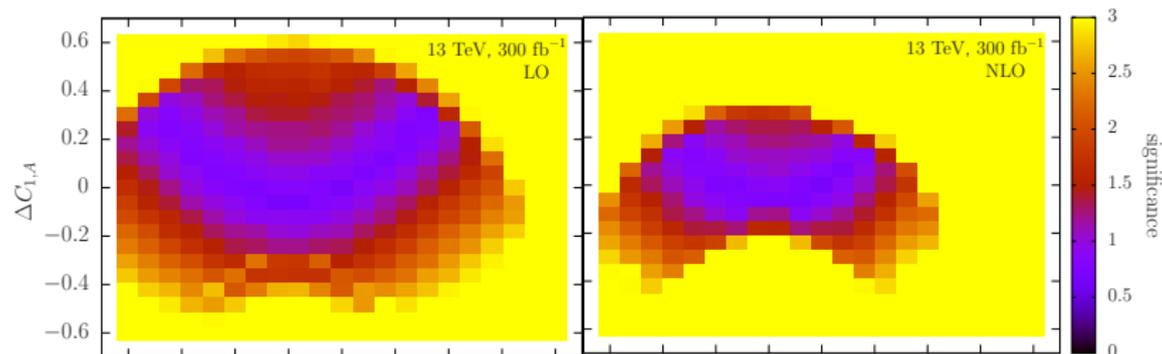
Look ahead to data from $\sqrt{s} = 13$ TeV run:

- Use shape information from $\Delta\phi_{ll}$ distributions.
- Compare **SM** calculation to **anomalous coupling** calculation
 - measure **statistical separation** between SM and anomalous top-Z couplings.
- Correspond (approximately) to constraints **if expt. reproduces SM**.



- Scale uncertainty: 30% at LO and 15% at NLO.
- Obvious improvement with increased luminosity.
- Notable improvement using NLO corrections (reduced scale uncertainty + k -factor).

Focus on 300 fb^{-1} :



- Find $-4.0 < \Delta C_{1,V} < 2.8$ and $-0.36 < \Delta C_{1,A} < 0.54$ at LO.
- At NLO $-3.6 < \Delta C_{1,V} < 1.6$ and $-0.24 < \Delta C_{1,A} < 0.30$.
- $\Rightarrow C_V = 0.24^{+0.39}_{-0.85}$ and $C_A = -0.60^{+0.14}_{-0.18}$ at NLO QCD.

Higher dimensional operators

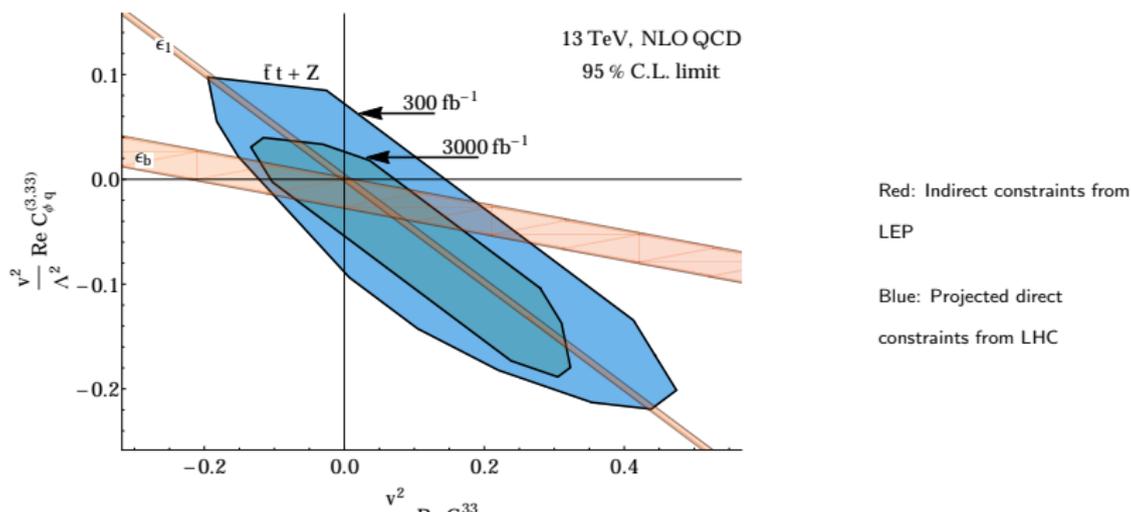
Higher dimensional operators in EFT \leftrightarrow deviations from SM couplings:

$$C_{1,V} = C_{1,V}^{\text{SM}} + \left(\frac{v^2}{\Lambda^2}\right) \text{Re} \left[C_{\phi q}^{(3,33)} - C_{\phi q}^{(1,33)} - C_{\phi u}^{33} \right], \quad (1)$$

$$C_{1,A} = C_{1,A}^{\text{SM}} + \left(\frac{v^2}{\Lambda^2}\right) \text{Re} \left[C_{\phi q}^{(3,33)} - C_{\phi q}^{(1,33)} + C_{\phi u}^{33} \right],$$

Assuming $SU(2)$ symmetry $\rightarrow C_{\phi q}^{(3,33)} \approx -C_{\phi q}^{(1,33)}$.

Translate constraints on $\Delta C_{1,V}$, $\Delta C_{1,A}$ into constraints on $C_{\phi q}^{(3,33)}$ and $C_{\phi u}^{33}$



- $t\bar{t}Z$ production at the LHC calculated to NLO in QCD, including all decays with spin correlation, and using NWA.
- Calculation performed with different values of vector and axial-vector top-Z coupling.
- **Cross-section** compared to that from CMS \rightarrow **first direct detection bounds on top-Z coupling** (very loose).
- Log-likelihood analysis using $\Delta\phi_{II}$ distribution reveals:
 - \sim factor 2 increase in sensitivity due to decrease in scale uncertainty
 - Couplings giving $\sigma \simeq \sigma_{SM}$ may be distinguished by $\Delta\phi_{II}$ shape.
 - Constraints $-3.6 \lesssim \Delta C_{1,V} \lesssim 1.6$ and $-0.24 \lesssim \Delta C_{1,A} \lesssim 0.3$ at NLO.
- Reduced scale at NLO and $K \simeq 1.5$ boost constraining capability
- Can be related to operators, constrain scale Λ .

Future Work

- Look at constraining coefficients dipole terms $\sim \sigma_{\mu\nu} q^\nu / M$.
- Look at bounds from single top + Z results
- Extend analysis to $t\bar{t} + \gamma$.